



Deep Learning

In An Afternoon

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Unprecedented Disruption

In the history of science, I defy you to find a similarly quick paradigm shift.

10 years ago

“Neural nets will enable real time ray tracing.”

“Neural nets will do protein folding.”

Science Fiction.

Word salad.

5 years ago

“Neural nets will do CFD.”

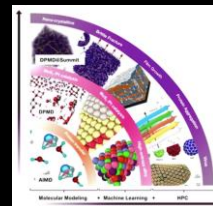
Well, maybe someday, but not soon.

Today

Neural net enabled algorithms are the best way to do protein folding.

Tomorrow

Skynet will kill us all. Or at least steal our jobs.



Why Now?

The ideas have been around for decades. Two components came together in the past 15 years to enable astounding progress:

Widespread parallel computing (GPUs)



Big data training sets



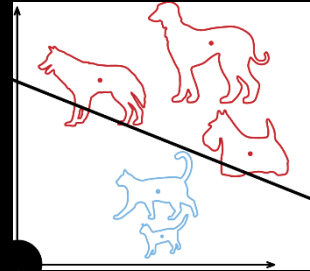
Two Perspectives

There are really two common ways to view the fundamentals of deep learning.

- Inspired by biological models.

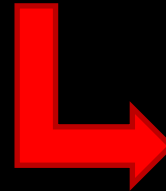
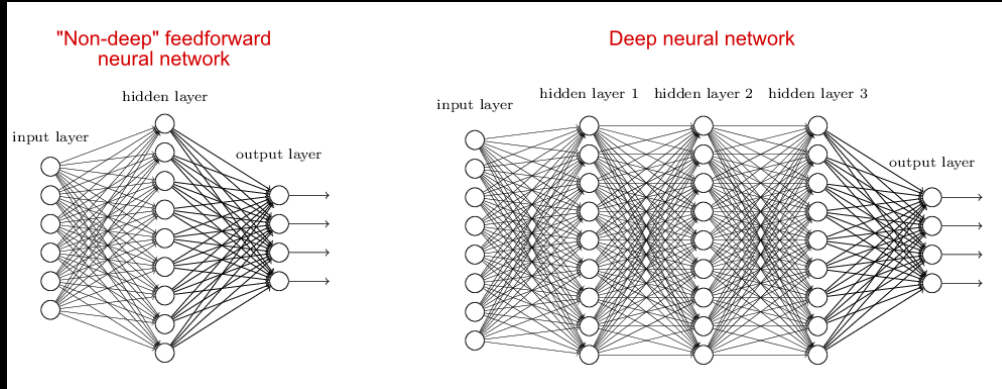
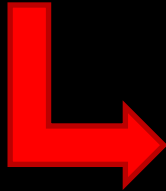
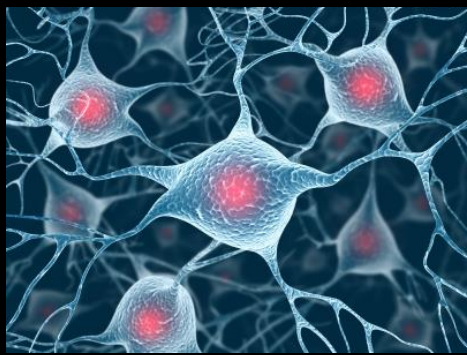


- An evolution of classic ML techniques (the perceptron).



They are both fair and useful. We'll give each a thin slice of our attention before we move on to the actual implementation. You can decide which perspective works for you.

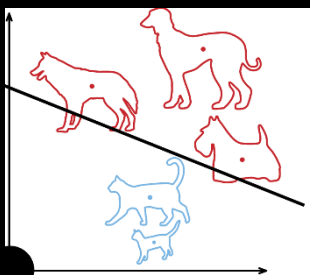
Modeled After The Brain



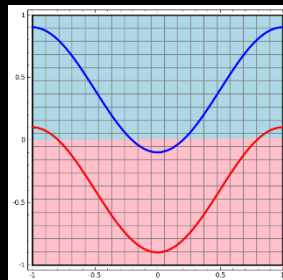
$$M = \begin{bmatrix} 0 & 1 & 0 & 0 & 0 & 0 & 1 & 0 & 0 & 1 & 0 & 0 & 0 \\ 1 & 0 & 1 & 0 & 0 & 0 & 1 & 1 & 0 & 1 & 0 & 1 & 0 \\ 0 & 1 & 0 & 1 & 0 & 0 & 0 & 1 & 1 & 1 & 1 & 0 & 1 \\ 0 & 0 & 1 & 0 & 0 & 0 & 0 & 0 & 1 & 1 & 0 & 0 & 0 \\ 0 & 0 & 0 & 0 & 0 & 1 & 0 & 0 & 0 & 0 & 0 & 1 & 0 \\ 0 & 0 & 1 & 1 & 0 & 0 & 0 & 0 & 0 & 1 & 0 & 0 & 0 \\ 1 & 1 & 0 & 0 & 0 & 0 & 0 & 0 & 0 & 1 & 0 & 0 & 0 \\ 0 & 1 & 1 & 0 & 0 & 0 & 0 & 0 & 0 & 1 & 1 & 1 & 1 \\ 0 & 0 & 0 & 0 & 1 & 0 & 0 & 0 & 0 & 0 & 0 & 1 & 0 \\ 1 & 1 & 1 & 0 & 0 & 0 & 1 & 1 & 0 & 0 & 0 & 1 & 0 \\ 0 & 0 & 1 & 0 & 0 & 0 & 0 & 1 & 0 & 0 & 0 & 0 & 1 \\ 0 & 1 & 1 & 0 & 1 & 0 & 0 & 1 & 1 & 1 & 0 & 0 & 0 \\ 0 & 0 & 1 & 0 & 0 & 0 & 1 & 0 & 0 & 1 & 0 & 0 \end{bmatrix}$$

As a Highly Dimensional Non-linear Classifier

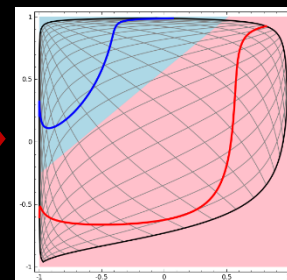
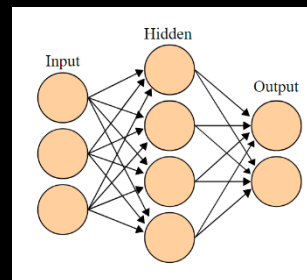
Perceptron



No Hidden Layer
Linear

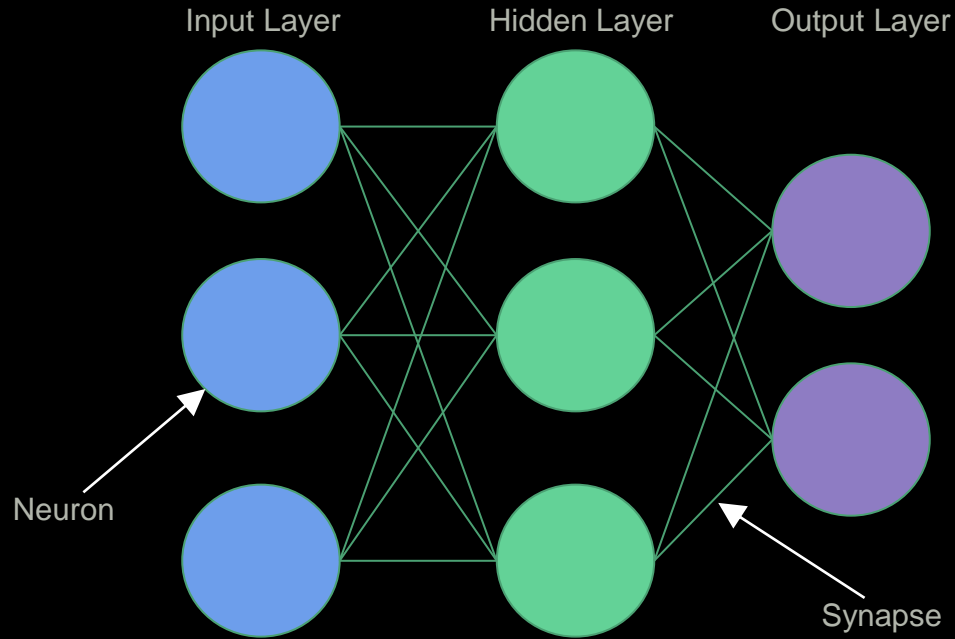


Network



Hidden Layers
Nonlinear

Basic NN Architecture

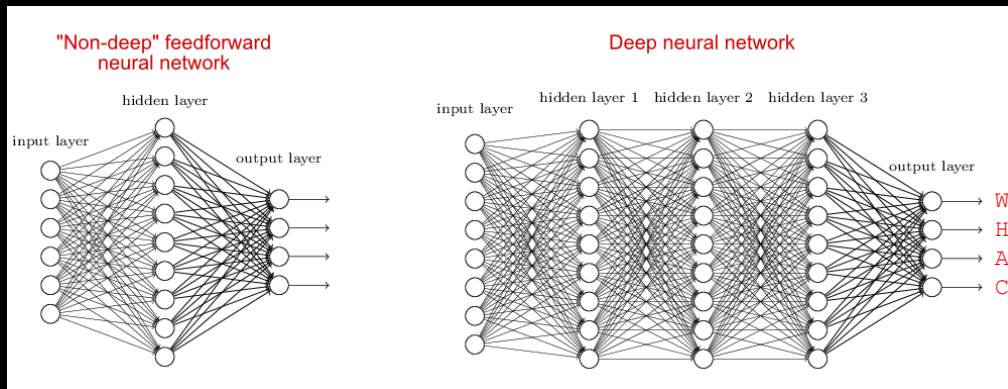


In Practice

How many inputs?



For an image it could be one (or 3) per pixel.



How deep?

100+ layers have become common.

How many outputs?

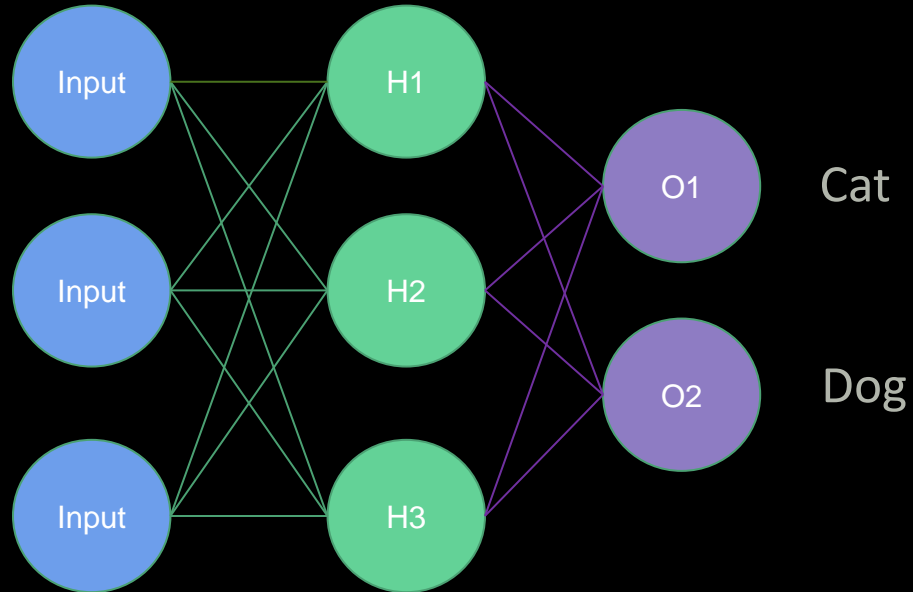


Might be an entire image.

Or could be discrete set of classification possibilities.

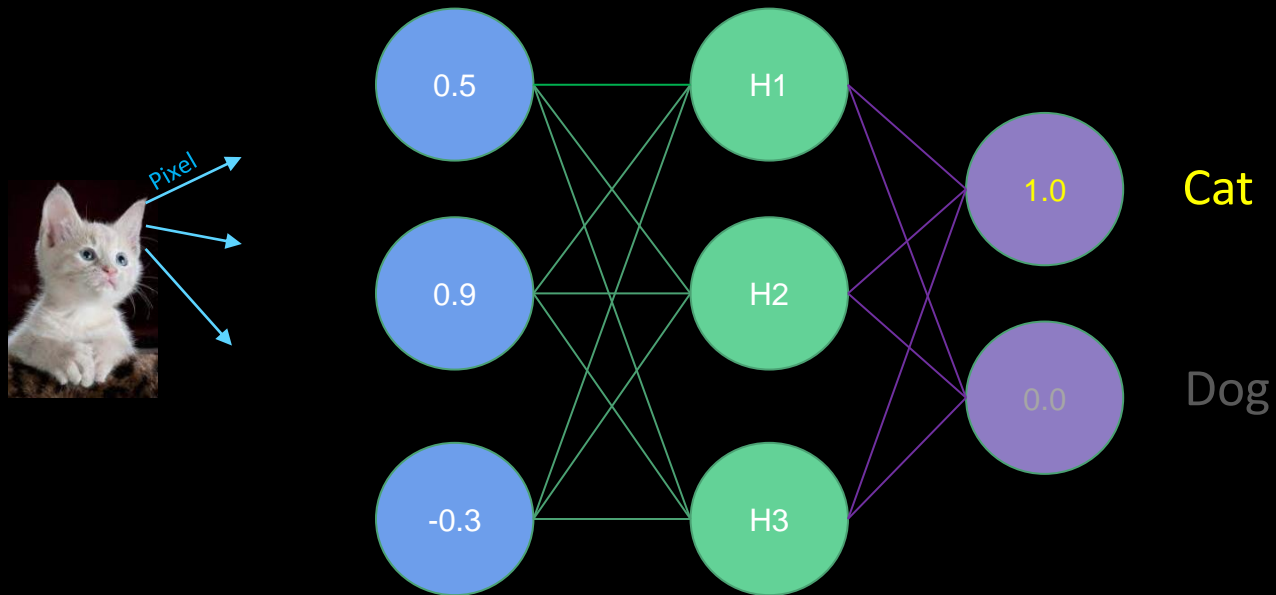
Inference

The "forward" or thinking step



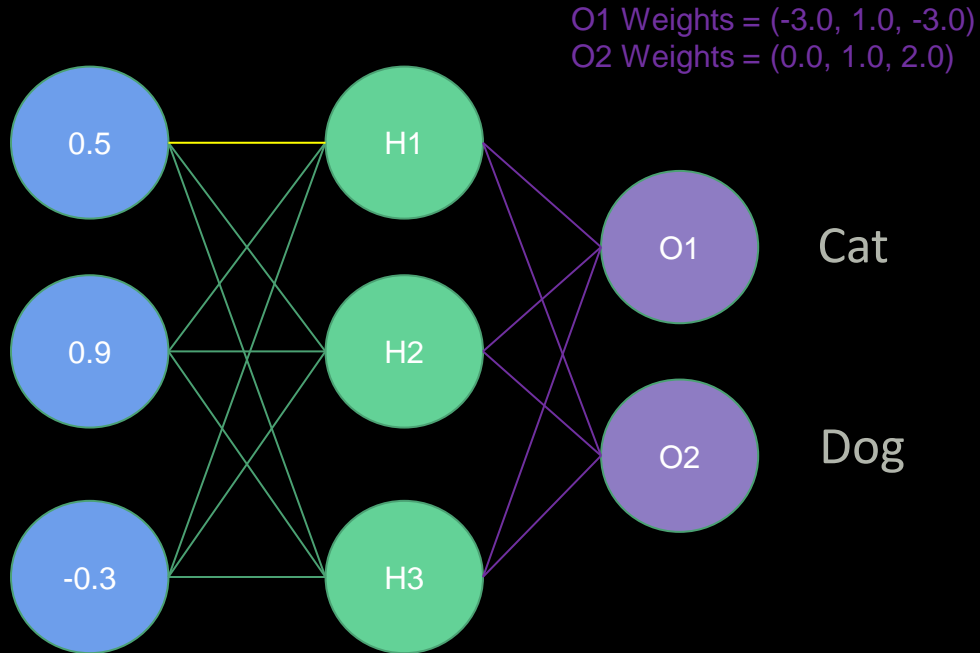
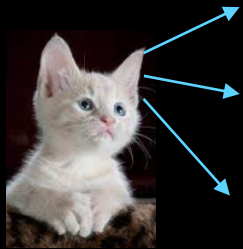
Inference

Input and Output Layers



Inference

Weights or Parameters



H1 Weights = (1.0, -2.0, 2.0)

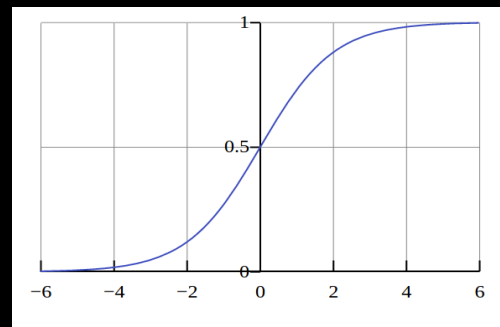
H2 Weights = (2.0, 1.0, -4.0)

H3 Weights = (1.0, -1.0, 0.0)

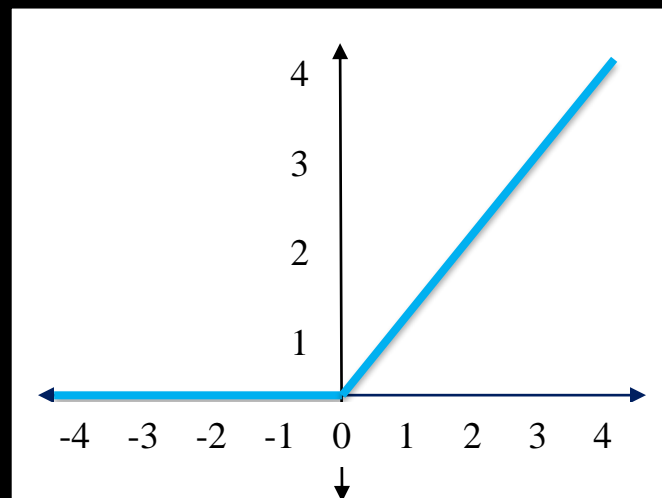
Activation Function

Neurons apply activation functions at these summed inputs. Activation functions are typically non-linear. There are countless possibilities. In reality, there are really only a few popular families:

- The **Sigmoid** function produces a value between 0 and 1, so it is intuitive when a probability is desired, and was almost standard for many years.
- The **Rectified Linear** activation function is zero when the input is negative and is equal to the input when the input is positive. Rectified Linear activation functions are currently the most popular activation function as they are more efficient than the sigmoid or hyperbolic tangent.
 - Sparse activation: In a randomly initialized network, only 50% of hidden units are active.
 - Better gradient propagation: Fewer vanishing gradient problems compared to sigmoidal activation functions that saturate in both directions.
 - Efficient computation: Only comparison, maybe addition and multiplication for variants.
 - There are **Leaky** and **Noisy** variants.

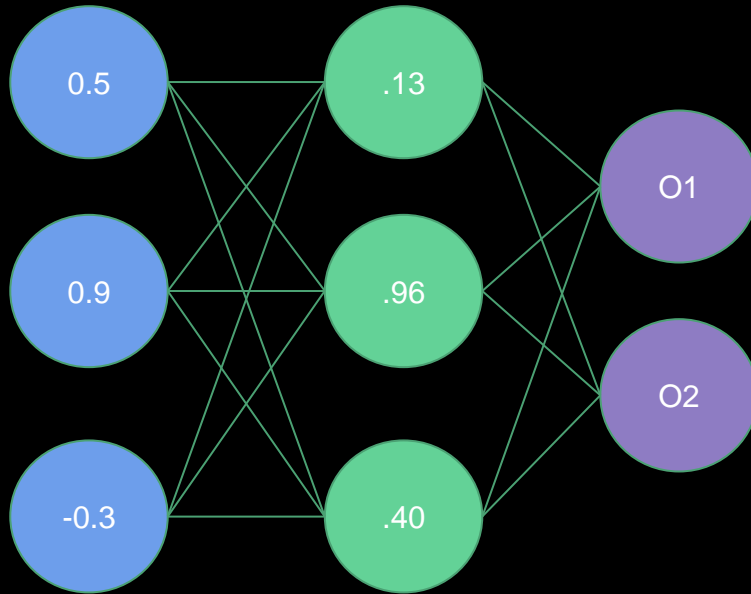


$$S(t) = \frac{1}{1 + e^{-t}}$$



Inference

Multiply, Add, do something non-linear.



H1 Weights = (1.0, -2.0, 2.0)

H2 Weights = (2.0, 1.0, -4.0)

H3 Weights = (1.0, -1.0, 0.0)

O1 Weights = (-3.0, 1.0, -3.0)

O2 Weights = (0.0, 1.0, 2.0)

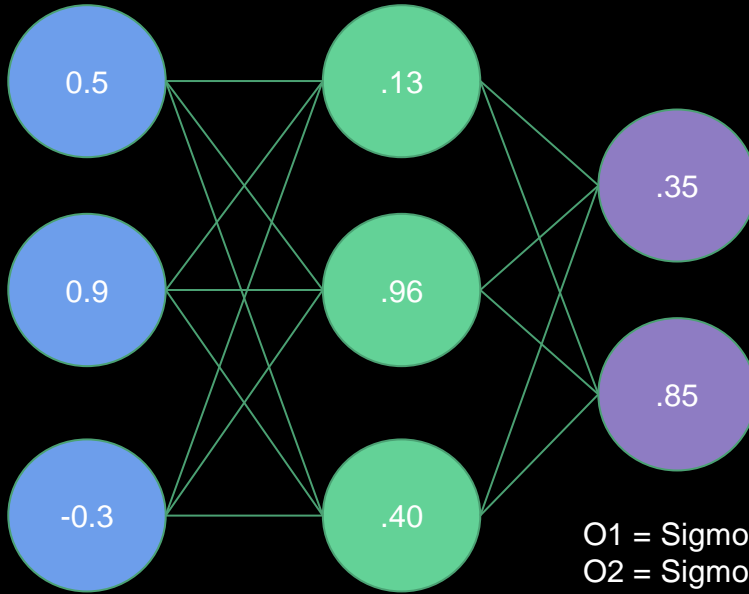
$$H1 = \text{Sigmoid}(0.5 * 1.0 + 0.9 * -2.0 + -0.3 * 2.0) = \text{Sigmoid}(-1.9) = .13$$

$$H2 = \text{Sigmoid}(0.5 * 2.0 + 0.9 * 1.0 + -0.3 * -4.0) = \text{Sigmoid}(3.1) = .96$$

$$H3 = \text{Sigmoid}(0.5 * 1.0 + 0.9 * -1.0 + -0.3 * 0.0) = \text{Sigmoid}(-0.4) = .40$$

Inference

Then do it again.



H1 Weights = (1.0, -2.0, 2.0)

H2 Weights = (2.0, 1.0, -4.0)

H3 Weights = (1.0, -1.0, 0.0)

O1 Weights = (-3.0, 1.0, -3.0)

O2 Weights = (0.0, 1.0, 2.0)

$$O1 = \text{Sigmoid}(.13 * -3.0 + .96 * 1.0 + .40 * -3.0) = \text{Sigmoid}(-.63) = .35$$

$$O2 = \text{Sigmoid}(.13 * 0.0 + .96 * 1.0 + .40 * 2.0) = \text{Sigmoid}(1.76) = .85$$

As A Matrix Operation

H1 Weights = (1.0, -2.0, 2.0)

H2 Weights = (2.0, 1.0, -4.0)

H3 Weights = (1.0, -1.0, 0.0)

$$\text{Sig}\left(\begin{array}{|c|c|c|} \hline & \text{Hidden Layer Weights} & \\ \hline & 1.0 & -2.0 & 2.0 \\ \hline & 2.0 & 1.0 & -4.0 \\ \hline & 1.0 & -1.0 & 0.0 \\ \hline \end{array} * \begin{array}{|c|} \hline \text{Inputs} \\ \hline 0.5 \\ \hline 0.9 \\ \hline -0.3 \\ \hline \end{array} \right) = \text{Sig}\left(\begin{array}{|c|c|c|} \hline -1.9 & 3.1 & -0.4 \\ \hline \end{array} \right) = \begin{array}{|c|c|c|} \hline \text{Hidden Layer Outputs} \\ \hline .13 & .96 & 0.4 \\ \hline \end{array}$$

Now this looks like something that we can pump through a GPU.

Biases

It is also very useful to be able to offset our inputs by some constant. You can think of this as centering the activation function, or translating the solution (next slide). We will call this constant the *bias*, and it there will often be one value per layer.

Our math for the previously calculated layer now looks like this with **bias=0.1**:

$$\text{Sig}\left(\begin{array}{|c|c|c|} \hline \text{Hidden Layer Weights} & & \\ \hline 1.0 & -2.0 & 2.0 \\ \hline 2.0 & 1.0 & -4.0 \\ \hline 1.0 & -1.0 & 0.0 \\ \hline \end{array} * \begin{array}{|c|} \hline \text{Inputs} \\ \hline 0.5 \\ \hline 0.9 \\ \hline -0.3 \\ \hline \end{array} + \begin{array}{|c|} \hline \text{Bias} \\ \hline 0.1 \\ \hline 0.1 \\ \hline 0.1 \\ \hline \end{array} \right) = \text{Sig}\left(\begin{array}{|c|c|c|} \hline -1.8 & 3.2 & -0.3 \\ \hline \end{array} \right) = \begin{array}{|c|c|c|} \hline \text{Hidden Layer Outputs} \\ \hline .14 & .96 & 0.4 \\ \hline \end{array}$$

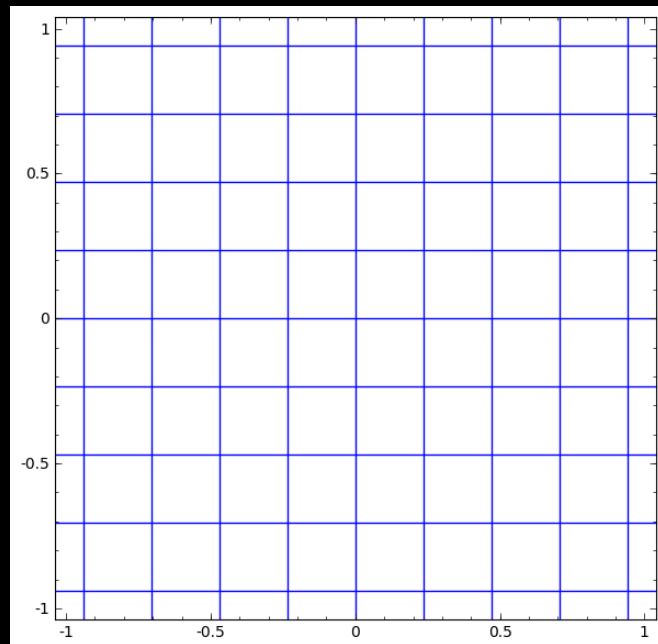
Linear + Nonlinear

The magic formula for a neural net is that, at each layer, we apply linear operations (which look naturally like linear algebra matrix operations) and then pipe the final result through some kind of final nonlinear **activation function**. The combination of the two allows us to do very general transforms.

The matrix multiply provides the *skew*, *rotation* and *scale*.

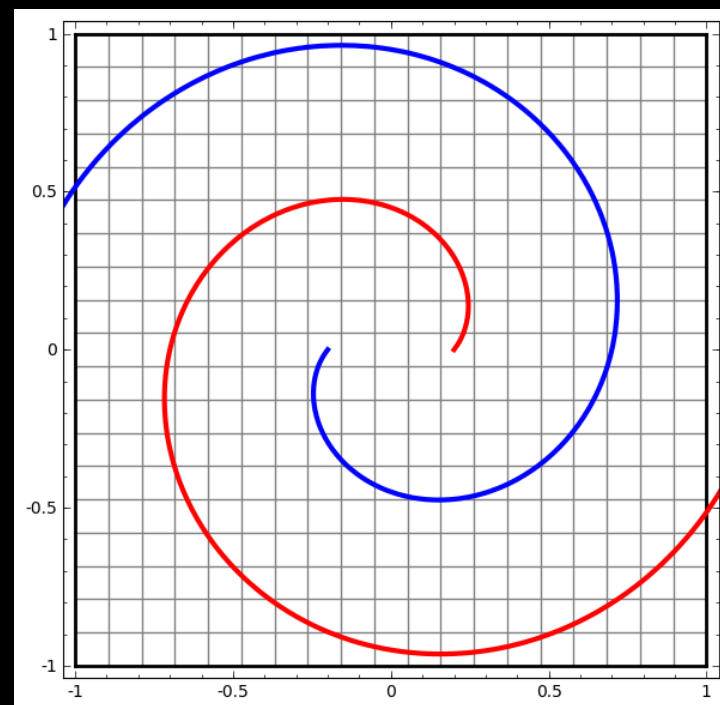
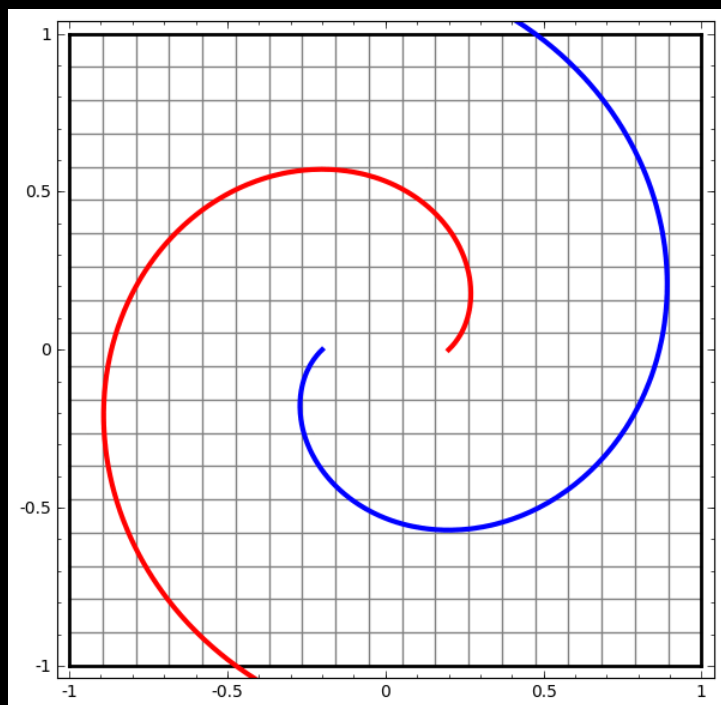
The bias provides the *translation*.

The activation function provides the *warp*.



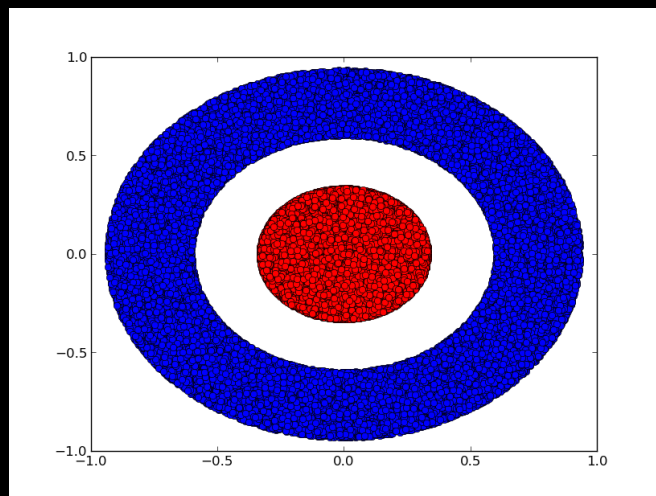
Linear + Nonlinear

These are two very simple networks untangling spirals. Note that the second does not succeed. With more substantial networks these would both be trivial.



Width of Network

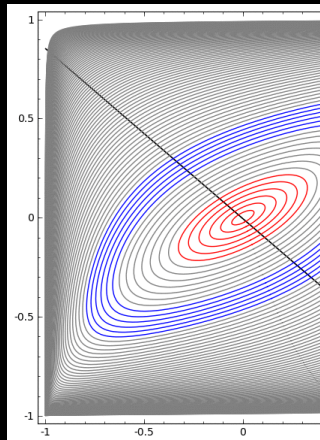
A very underappreciated fact about networks is that the width of any layer determines how many dimensions it can work in. This is valuable even for lower dimension problems. How about trying to classify (separate) this dataset:



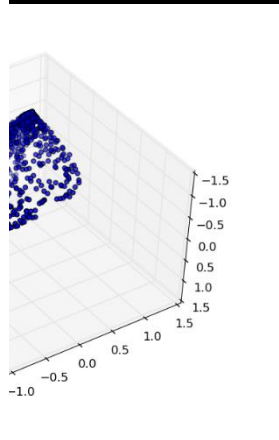
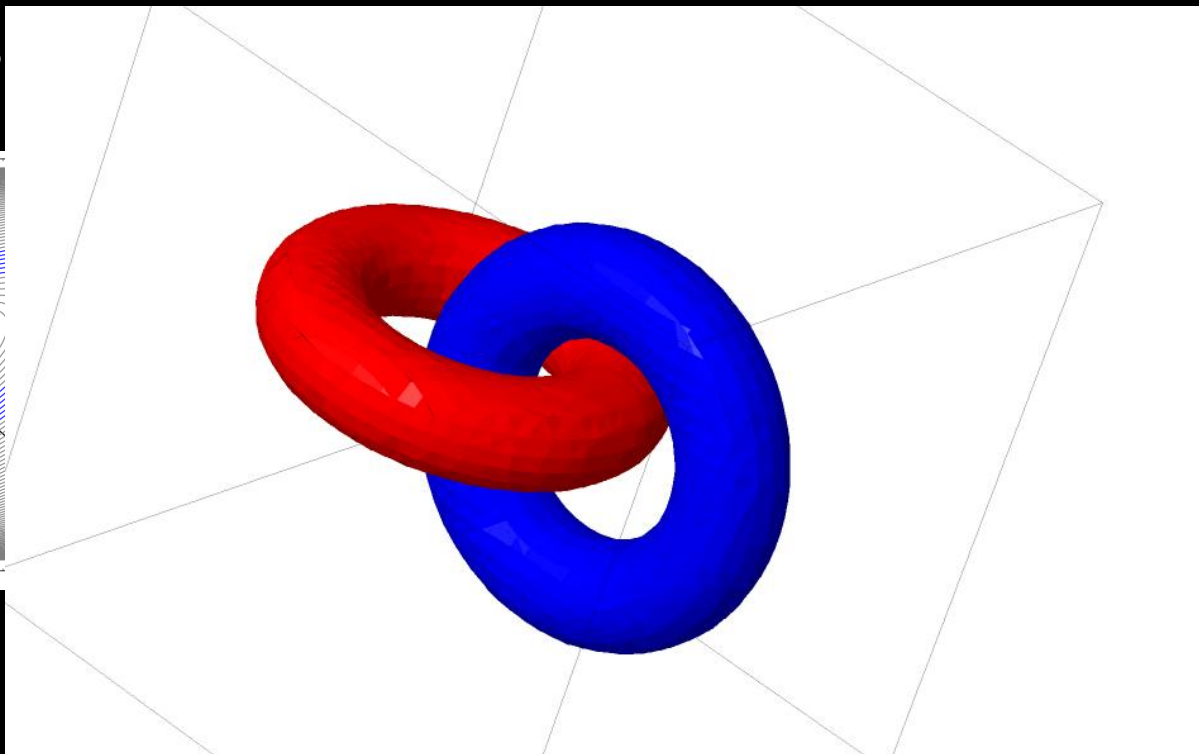
Can a neural net do this with twisting and deforming? What good does it do to have more than two dimensions with a 2D dataset?

Working In Higher Dimensions

It takes at least 3



Trying



s in 3D

Greater depth allows us to stack these operations, and can be very effective. The gains from depth are harder to characterize.

Theoretically

Universal Approximation Theorem: A 1-hidden-layer feedforward network of this type can approximate any function¹, given enough width².

Not really that useful as:

- Width could be enormous.
- Doesn't tell us how to find the correct weights.

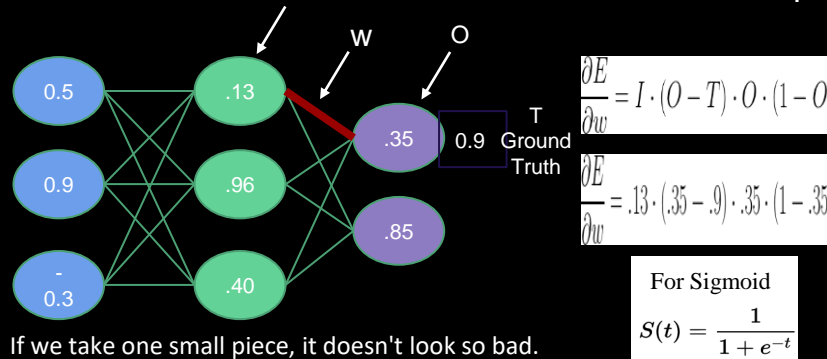
1) Borel measurable. Basically, mostly continuous and bounded.

2) Could be exponential number of hidden units, with one unit required for each distinguishable input configuration.

Training Neural Networks

So how do we find these magic weights? We want to minimize the error on our training data. Given labeled inputs, select weights that generate the smallest average error on the outputs.

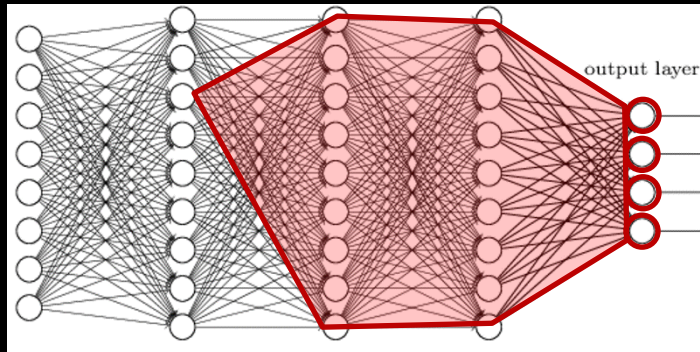
We know that the output is a function of the weights: $E(w_1, w_2, w_3, \dots, i_1, \dots, t_1, \dots)$. So to figure out which way, and how much, to push any particular weight, say w_3 , we want to calculate $\frac{\partial E}{\partial w_3}$



Note that the role of the gradient, $\frac{\partial E}{\partial w_3}$, here means that it becomes a problem if it vanishes. This is an issue for very deep networks.

Back-Propagation

In a useful network, the chain rule results in a lot of factors for any given weight adjustment.



There are a lot of dependencies going on here. It isn't obvious that there is a viable way to do this in very large networks.

$$\frac{\partial u^{(n)}}{\partial u^{(j)}} = \sum_{\text{path}(u^{(\pi_1)}, u^{(\pi_2)}, \dots, u^{(\pi_t)}, \text{ from } \pi_1=j \text{ to } \pi_t=n)} \prod_{k=2}^t \frac{\partial u^{(\pi_k)}}{\partial u^{(\pi_{k-1})}}.$$

From the fantastic *Deep Learning*, Goodfellow, Bengio and Courville.

Since the number of paths from one node to a distant node can grow exponentially in the length of these paths, the number of terms in the above sum, which is the number of such paths, can grow exponentially with depth. A large cost would be incurred because the same computation for the subfactors would be redone many times. To avoid such recomputation, back-propagation works as a table-filling algorithm that stores intermediate results and avoids repeating many common subexpressions.

Back-propagation Full Story

If you have 30 minutes, and remember freshman calculus, you can understand the complete details of the algorithm. I heartily recommend one of these.

An elegant perspective on this can be found from Chris Olah at

<http://colah.github.io/posts/2015-08-Backprop> .

With basic calculus you can readily work through the details. You can find an excellent explanation from the renowned *3Blue1Brown* at

<https://www.youtube.com/watch?v=Ilg3gGewQ5U> .

To be honest, many people are happy to leave the details to TensorFlow, or whatever package they are using. Just don't think it is beyond your understanding.

Solvers

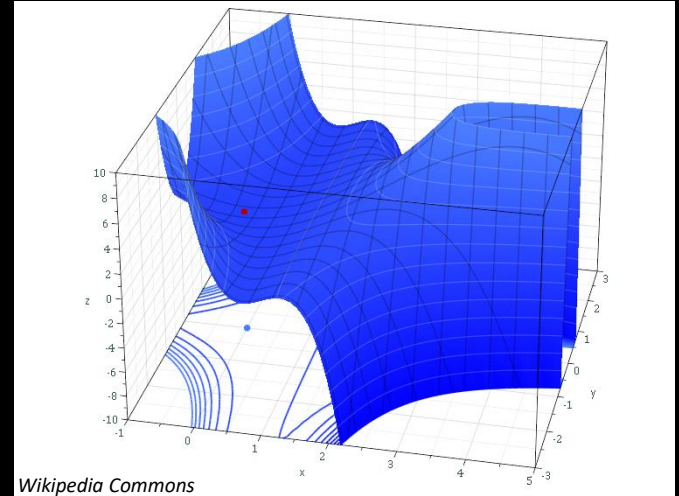
However, even this efficient technique leaves us with potentially many millions of simultaneous equations to solve (real nets have a lot of weights). And the solution space is non-convex. Fortunately, this isn't a new problem created by deep learning, so we have options from the world of numerical methods.

The standard has been *gradient descent*. Variations of this have arisen that perform better for deep learning applications. TensorFlow will allow us to use these interchangeably - and we will.

Most interesting recent methods incorporate *momentum* to help get over a local minimum. Momentum and *step size* (or *learning rate*) are the two *hyperparameters* we will encounter later.

Nevertheless, we don't expect to ever find the actual global minimum.

We could/should find the error for all the training data before updating the weights (an *epoch*). However it is usually much more efficient to use a *stochastic* approach, sampling a random subset of the data, updating the weights, and then repeating with another *mini-batch*.



Going To Play Along?

Make sure you are on a GPU node:

```
bridges2-login014% interact -gpu  
v001%
```

Load the TensorFlow 2 Container:

```
v001% singularity shell --nv /ocean/containers/ngc/tensorflow/tensorflow_23.04-tf2-py3.sif
```

And start TensorFlow:

```
Singularity> python  
Python 3.8.10 (default, Mar 13 2023, 10:26:41)  
[GCC 9.4.0] on linux  
Type "help", "copyright", "credits" or "license"  
>>> import tensorflow  
>>> ...some congratulatory noise...  
>>>
```

Two Other Ways To Play Along

From inside the container, and in the right example directory, run the python programs from the command line:

```
Singularity> python CNN_Dropout.py
```

or invoke them from within the python shell:

```
>>> exec(open("./CNN_Dropout.py").read())
```

The screenshot shows the TensorFlow documentation page for `tf.keras.layers.Conv2D`. The page is part of the TensorFlow Core v2.1.0 documentation, specifically for the Python API. The left sidebar contains a navigation menu with categories like 'Input', 'Model', 'Sequential', 'activations', 'applications', 'backend', 'callbacks', 'constraints', 'datasets', 'estimator', 'experimental', 'initializers', and 'layers'. The 'layers' category is expanded, showing a list of layer types including 'Conv2D', which is highlighted in blue. The main content area features a header with a 'Missed TensorFlow Dev Summit? Check out the video playlist. Watch recordings' button. Below this is the breadcrumb 'TensorFlow > API > TensorFlow Core v2.1.0 > Python' and a star rating. The title 'tf.keras.layers.Conv2D' is prominently displayed, followed by 'See Stable' and 'See Nightly' buttons. There are also buttons for 'TensorFlow 1 version' and 'View source on GitHub'. The description states '2D convolution layer (e.g. spatial convolution over images)'. A 'View aliases' button is present. A code block shows the signature of the `tf.keras.layers.Conv2D` constructor with its parameters: `filters, kernel_size, strides=(1, 1), padding='valid', data_format=None, dilation_rate=(1, 1), activation=None, use_bias=True, kernel_initializer='glorot_uniform', bias_initializer='zeros', kernel_regularizer=None, bias_regularizer=None, activity_regularizer=None, kernel_constraint=None, bias_constraint=None, **kwargs`. Below the code, a section titled 'Used in the notebooks' contains a table with two columns: 'Used in the guide' and 'Used in the tutorials'. The 'Used in the guide' column lists links to 'The Keras functional API', 'Migrate your TensorFlow 1 code to TensorFlow 2', 'Eager execution', 'Train and evaluate with Keras', and 'Better performance with tf.function and AutoGraph'. The 'Used in the tutorials' column lists links to 'Custom layers', 'Image classification', 'Pix2Pix', 'Convolutional Neural Network (CNN)', and 'Custom training with tf.distribute.Strategy'. At the bottom, a paragraph explains that the layer creates a convolution kernel convolved with the input to produce a tensor of outputs, and notes that if `use_bias` is True, a bias vector is added, and if `activation` is not None, it is applied to the outputs. A final note mentions that when using this layer as the first layer in a model, the `input_shape` argument should be a tuple of integers, excluding the sample axis, e.g., `input_shape=(128, 128, 3)`.

Documentation

The API is well documented.

That is terribly unusual.

Take advantage and keep a browser open as you develop.

MNIST

We now know enough to attempt a problem. Only because the TensorFlow framework, and the Keras API, fills in a lot of the details that we have glossed over. That is one of its functions.

Our problem will be character recognition. We will learn to read handwritten digits by training on a large set of 28x28 greyscale samples.



First we'll do this with the simplest possible model just to show how the TensorFlow framework functions. Then we will gradually implement our way to a quite sophisticated and accurate convolutional neural network for this same problem.

Getting Into MNIST

```
import tensorflow as tf

mnist = tf.keras.datasets.mnist
(train_images, train_labels), (test_images, test_labels) = mnist.load_data()

train_images = train_images.reshape(60000, 784)
test_images = test_images.reshape(10000, 784)

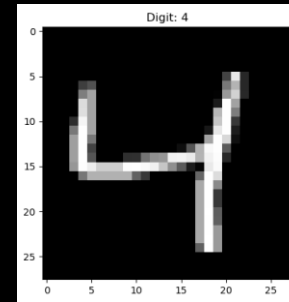
test_images = test_images.astype('float32')
train_images = train_images.astype('float32')

test_images /= 255
train_images /= 255
```

matplotlib bonus insight

```
import matplotlib.pyplot as plt

plt.imshow(train_images[2], cmap=plt.get_cmap('gray'),
           interpolation='none')
plt.title("Digit: {}".format(train_labels[2]))
```



Defining Our Network

```
import tensorflow as tf

mnist = tf.keras.datasets.mnist
(train_images, train_labels), (test_images, test_labels) = mnist.load_data()

train_images = train_images.reshape(60000, 784)
test_images = test_images.reshape(10000, 784)

test_images = test_images.astype('float32')
train_images = train_images.astype('float32')

test_images /= 255
train_images /= 255

model = tf.keras.Sequential([
    tf.keras.layers.Dense(64, activation='relu', input_shape=(784,)),
    tf.keras.layers.Dense(64, activation='relu'),
    tf.keras.layers.Dense(10, activation='softmax'),
])
```

Starting from zero?

In general, initialization values are hard to pin down analytically. Values might help optimization but hurt generalization, or vice versa.

The only certainty is you need to have different values to break the symmetry, or else units in the same layer, with the same inputs, would track each other.

Practically, we just pick some "reasonable" values.

```
model.summary()
```

Layer (type)	Output Shape	Param #
dense_6 (Dense)	(None, 64)	50240
dense_7 (Dense)	(None, 64)	4160
dense_8 (Dense)	(None, 10)	650

Total params: 55,050
Trainable params: 55,050
Non-trainable params: 0

Softmax

why softmax?

The values coming out of our matrix operations can have large, and negative values. We would like our solution vector to be conventional probabilities that sum to 1.0. An effective way to normalize our outputs is to use the popular *softmax* function. Let's look at an example with just three possible digits:

Digit	Output	Exponential	Normalized
0	4.8	121	.87
1	-2.6	0.07	.00
2	2.9	18	.13

Solving For Weights

```
import tensorflow as tf

mnist = tf.keras.datasets.mnist
(train_images, train_labels), (test_images, test_labels) = mnist.load_data()

train_images = train_images.reshape(60000, 784)
test_images = test_images.reshape(10000, 784)

test_images = test_images.astype('float32')
train_images = train_images.astype('float32')

test_images /= 255
train_images /= 255

model = tf.keras.Sequential([
    tf.keras.layers.Dense(64, activation='relu', input_shape=(784,)),
    tf.keras.layers.Dense(64, activation='relu'),
    tf.keras.layers.Dense(10, activation='softmax'),
])

model.compile(optimizer='adam', loss='sparse_categorical_crossentropy', metrics=['accuracy'])
```


Cross Entropy

Given the sensible way we have constructed these outputs, the **Cross Entropy Loss** function is a good way to define the error across all possibilities. Better than squared error, which we have been using until now. It is defined as $-\sum y_i \log y_i$, or if this really is a "0", $y_i=(1,0,0)$, and

$$-1\log(0.87) - 0\log(0.0001) - 0\log(0.13) = -\log(0.87) = -0.13$$

It somewhat penalizes a slightly wrong guess, or an "unconfident" right guess, and greatly penalizes a very wrong guess.

You can also think that it "undoes" the Softmax, if you want.

Training

```
import tensorflow as tf

mnist = tf.keras.datasets.mnist
(train_images, train_labels), (test_images, test_labels) = mnist.load_data()

train_images = train_images.reshape(60000, 784)
test_images = test_images.reshape(10000, 784)

test_images = test_images.astype('float32')
train_images = train_images.astype('float32')

test_images /= 255
train_images /= 255

model = tf.keras.Sequential([
    tf.keras.layers.Dense(64, activation='relu', input_shape=(784,)),
    tf.keras.layers.Dense(64, activation='relu'),
    tf.keras.layers.Dense(10, activation='softmax'),
])

model.compile(optimizer='adam', loss='sparse_categorical_crossentropy', metrics=['accuracy'])

history = model.fit(train_images, train_labels, batch_size=128, epochs=40, verbose=1, validation_data=(test_images, test_labels))
```

Results

matplotlib bonus insight

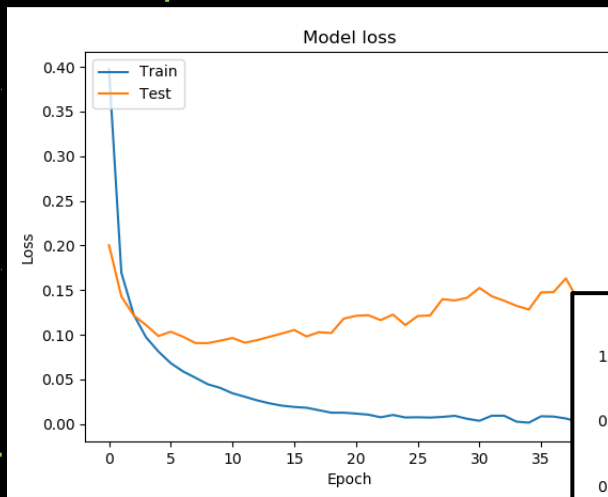
```
history = model.fit(train_images, ..., ...)
```

```
plt.plot(history.history['accuracy'])  
plt.plot(history.history['val_accuracy'])  
plt.title('Model accuracy')  
plt.ylabel('Accuracy')  
plt.xlabel('Epoch')  
plt.legend(['Train', 'Test'], loc='upper')
```

```
plt.plot(history.history['loss'])  
plt.plot(history.history['val_loss'])  
plt.title('Model loss')  
plt.ylabel('Loss')  
plt.xlabel('Epoch')  
plt.legend(['Train', 'Test'], loc='upper')  
plt.show()
```

```
/sample - loss: 0.3971 - accuracy:
```

```
/sample - loss: 0.1696 - accuracy:
```



Accuracy or Loss?

Loss is the "mathematical" value we have specified in our model to use for parameter fitting.

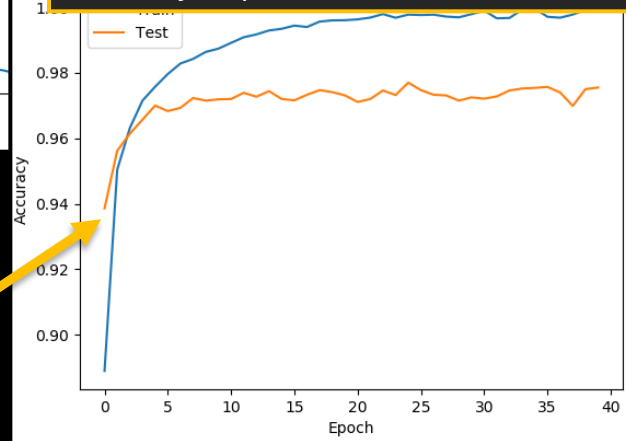
Accuracy is simply how many we get right when we test our model as an application. It might not apply to a non-classification problem (think *Stable Diffusion*) and it doesn't capture how much right or wrong we are (we could be very confident that a dog is a cat).

The two are normally closely related and track each other. We will choose Accuracy for our graphs. Any user understands what accuracy represents.

Why would the test accuracy *ever* be better than the training (as momentarily happens here)?

The training value is the average over each batch, and the test value is only at the end of the epoch, when the model tends to be at least slightly better.

Latter on we will see that regularization techniques (which are only turned on for training) also add to this effect.



0.9755

Let's Go Wider

```
import tensorflow as tf

mnist = tf.keras.datasets.mnist
(train_images, train_labels), (test_images, test_labels) = mnist.load_data()

train_images = train_images.reshape(60000, 784)
test_images = test_images.reshape(10000, 784)

test_images = test_images.astype('float32')
train_images = train_images.astype('float32')

test_images /= 255
train_images /= 255

model = tf.keras.Sequential([
    tf.keras.layers.Dense(512, activation='relu', input_shape=(784,)),
    tf.keras.layers.Dense(512, activation='relu'),
    tf.keras.layers.Dense(10, activation='softmax'),
])

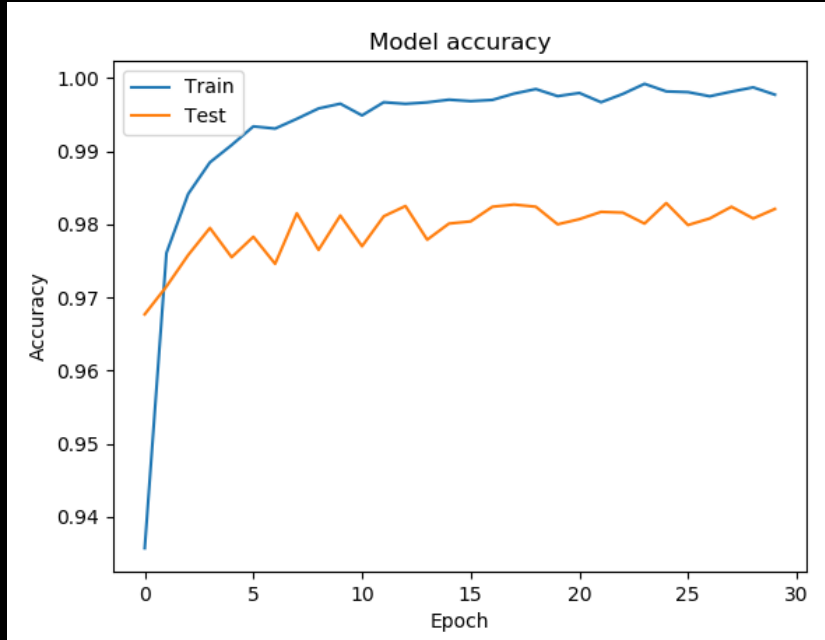
model.compile(optimizer='adam', loss='sparse_categorical_crossentropy', metrics=['accuracy'])

model.fit(train_images, train_labels, batch_size=128, epochs=30, verbose=1, validation_data=(test_images, test_labels))
```

Wider Results

....
....

Epoch 30/30
60000/60000 [=====] - 2s 32us/sample - loss: 0.0083 - accuracy: 0.9977 - val_loss: 0.1027 - val_accuracy: 0.9821



```
wider
model.summary()
=====
Layer (type)                Output Shape         Param #
=====
dense_18 (Dense)            (None, 512)         401920
=====
dense_19 (Dense)            (None, 512)         262656
=====
dense_20 (Dense)            (None, 10)          5130
=====
Total params: 669,706
Trainable params: 669,706
Non-trainable params: 0
=====
```

55,050 for 64 wide Model

Maybe Deeper?

```
import tensorflow as tf

mnist = tf.keras.datasets.mnist
(train_images, train_labels), (test_images, test_labels) = mnist.load_data()

train_images = train_images.reshape(60000, 784)
test_images = test_images.reshape(10000, 784)

test_images = test_images.astype('float32')
train_images = train_images.astype('float32')

test_images /= 255
train_images /= 255

model = tf.keras.Sequential([
    tf.keras.layers.Dense(512, activation='relu', input_shape=(784,)),
    tf.keras.layers.Dense(512, activation='relu'),
    tf.keras.layers.Dense(512, activation='relu'),
    tf.keras.layers.Dense(10, activation='softmax'),
])

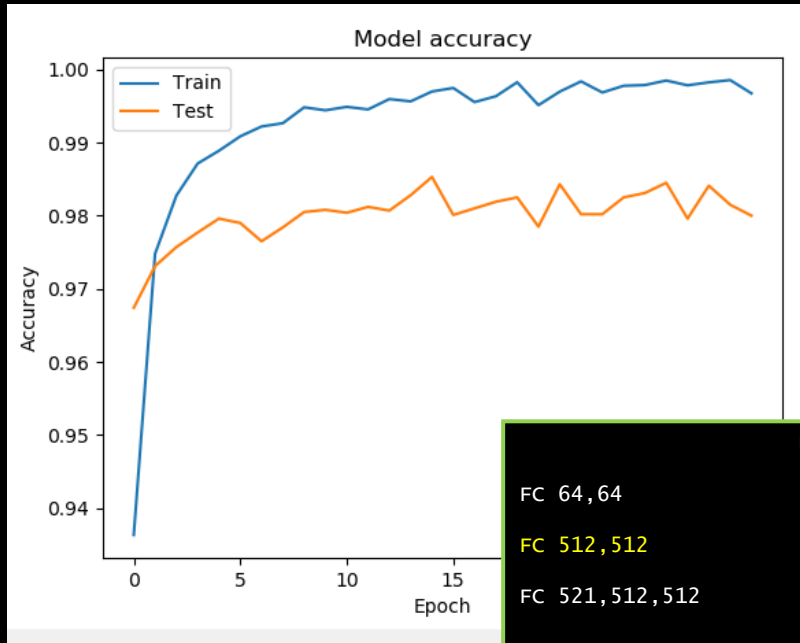
model.compile(optimizer='adam', loss='sparse_categorical_crossentropy', metrics=['accuracy'])

model.fit(train_images, train_labels, batch_size=128, epochs=30, verbose=1, validation_data=(test_images, test_labels))
```

Wide And Deep Results

....
....

60000/60000 [=====] - 3s 45us/sample - loss: 0.0119 - accuracy: 0.9967 - val_loss: 0.1183 - val_accuracy: 0.9800



Deep and wide

```
model.summary()
```

Layer (type)	Output Shape	Param #
dense_24 (Dense)	(None, 512)	401920
dense_25 (Dense)	(None, 512)	262656
dense_26 (Dense)	(None, 512)	262656
dense_27 (Dense)	(None, 10)	5130

Total params: 932,362

Params: 932,362

Params: 0

Recap

FC 64,64	97.5
FC 512,512	98.2
FC 521,512,512	98.0

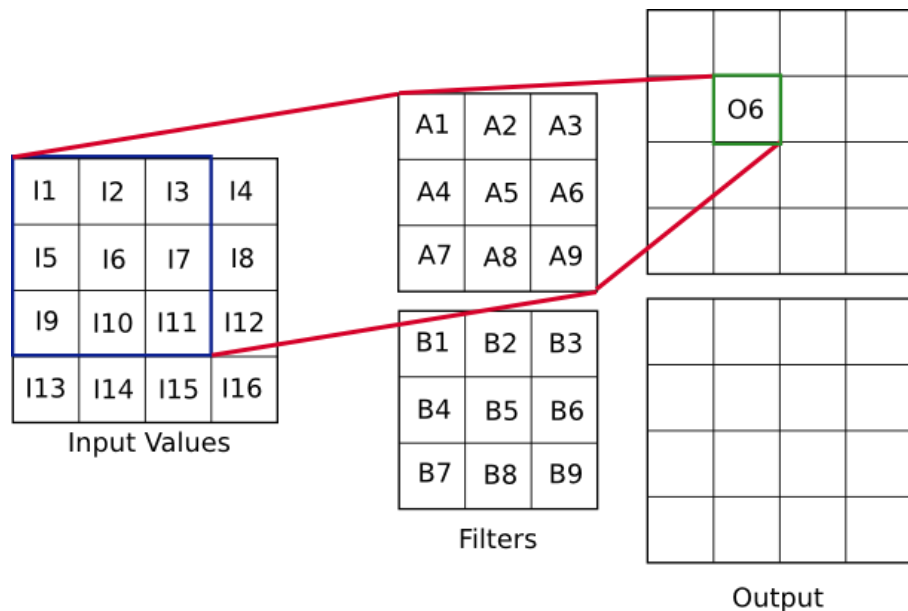
Brute Force Does Not Work

You usually can't just brute force your way into success. Beyond the obvious time and memory costs, you are opening yourself up to

- Overfitting
- Vanishing gradients

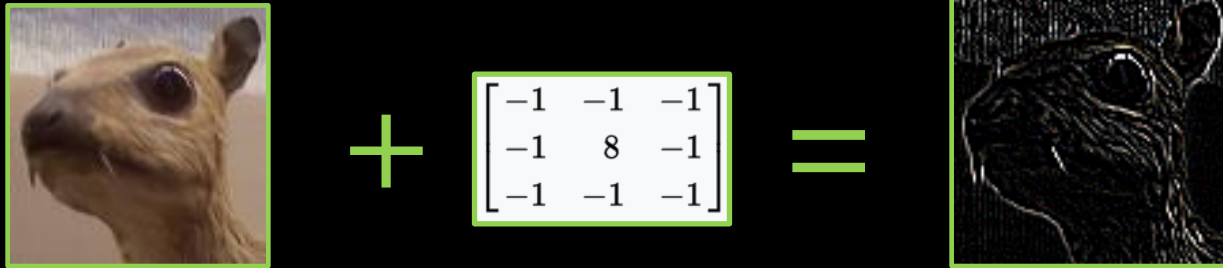
We will have to be smarter than "bigger is better" about choosing our hyperparameters. One very smart thing to do is to choose a more appropriate architecture.

Convolution



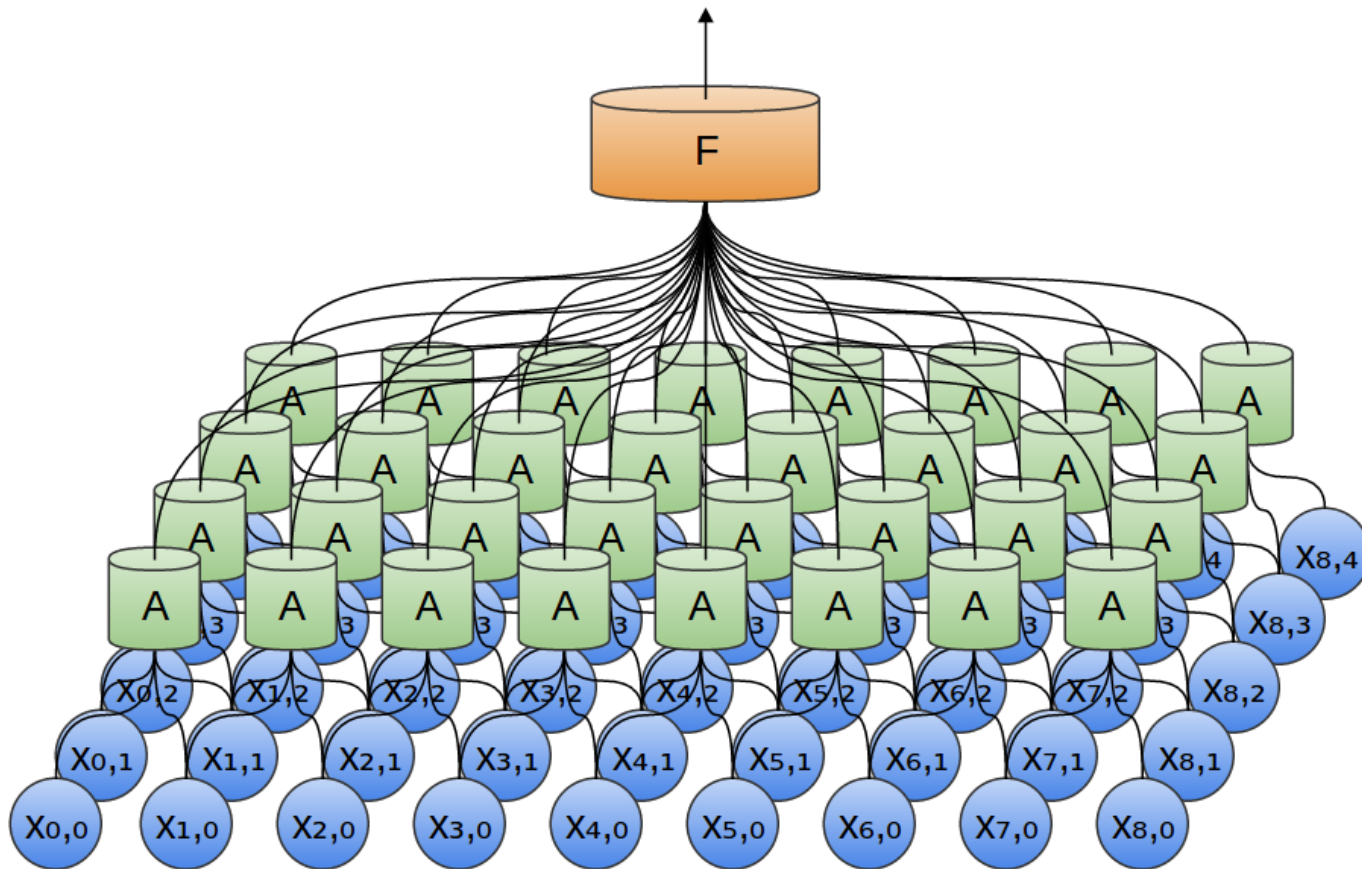
$$\begin{aligned} O_6 = & A_1 \cdot I_1 + A_2 \cdot I_2 + A_3 \cdot I_3 \\ & + A_4 \cdot I_5 + A_5 \cdot I_6 + A_6 \cdot I_7 \\ & + A_7 \cdot I_9 + A_8 \cdot I_{10} + A_9 \cdot I_{11} \end{aligned}$$

Straight Convolution

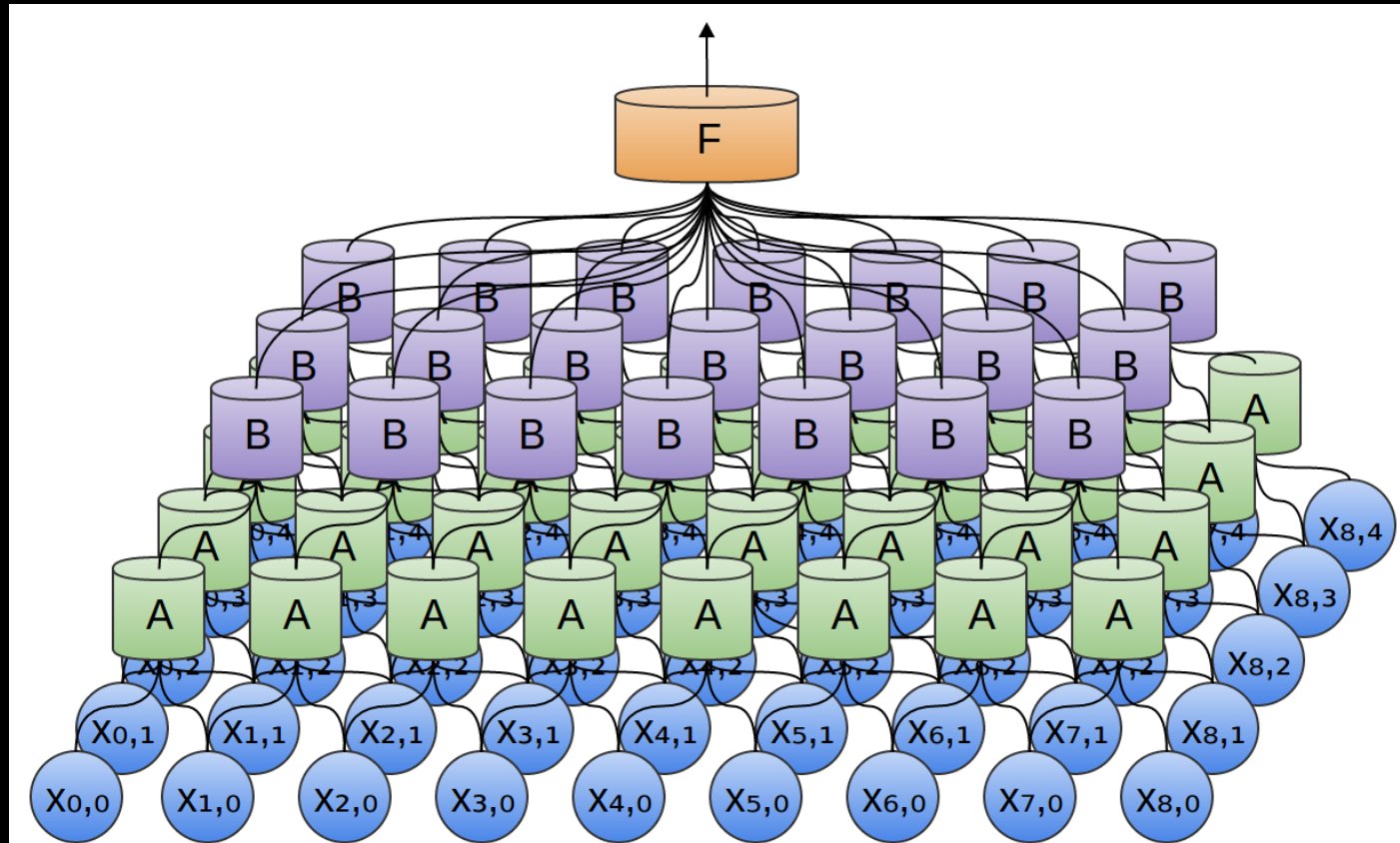


Edge Detector

Simplest Convolution Net



Stacking Convolutions



C o n v o l u t i o n

Input Volume (+pad 1) (7x7x3)

$x[:, :, 0]$

0	0	0	0	0	0	0
0	0	0	2	2	1	0
0	1	2	2	1	2	0
0	0	2	1	2	1	0
0	2	2	1	1	1	0
0	1	0	1	0	1	0
0	0	0	0	0	0	0

$x[:, :, 1]$

0	0	0	0	0	0	0
0	1	1	0	2	0	0
0	1	0	1	1	0	0
0	2	2	0	2	0	0
0	2	1	1	1	0	0
0	1	1	2	1	1	0
0	0	0	0	0	0	0

$x[:, :, 2]$

0	0	0	0	0	0	0
0	1	2	0	0	0	0
0	0	2	1	0	0	0
0	1	0	2	1	1	0
0	2	1	0	2	2	0
0	1	1	2	2	0	0
0	0	0	0	0	0	0

Filter W0 (3x3x3)

$w0[:, :, 0]$

-1	0	-1
0	0	-1
0	-1	1

$w0[:, :, 1]$

0	1	-1
1	0	1
-1	1	0

$w0[:, :, 2]$

1	-1	1
-1	-1	0
1	0	1

Bias b0 (1x1x1)

$b0[:, :, 0]$

1

Filter W1 (3x3x3)

$w1[:, :, 0]$

1	0	1
-1	1	1
1	1	1

$w1[:, :, 1]$

0	-1	1
0	0	0
1	0	0

$w1[:, :, 2]$

1	0	-1
0	1	1
-1	1	-1

Bias b1 (1x1x1)

$b1[:, :, 0]$

0

Output Volume (3x3x2)

$o[:, :, 0]$

5	2	0
4	2	0
-1	0	-1

$o[:, :, 1]$

4	8	3
7	11	4
3	7	4

toggle movement

From the very nice
Stanford CS231n
course at
<http://cs231n.github.io/convolutional-networks/>

Stride = 2

Convolution Math

Each Convolutional Layer:

Inputs a volume of size $W_1 \times H_1 \times D_1$ (D is depth)

Requires four hyperparameters:

Number of filters K

their spatial extent N

the stride S

the amount of padding P

Produces a volume of size $W_0 \times H_0 \times D_0$

$$W_0 = (W_1 - N + 2P) / S + 1$$

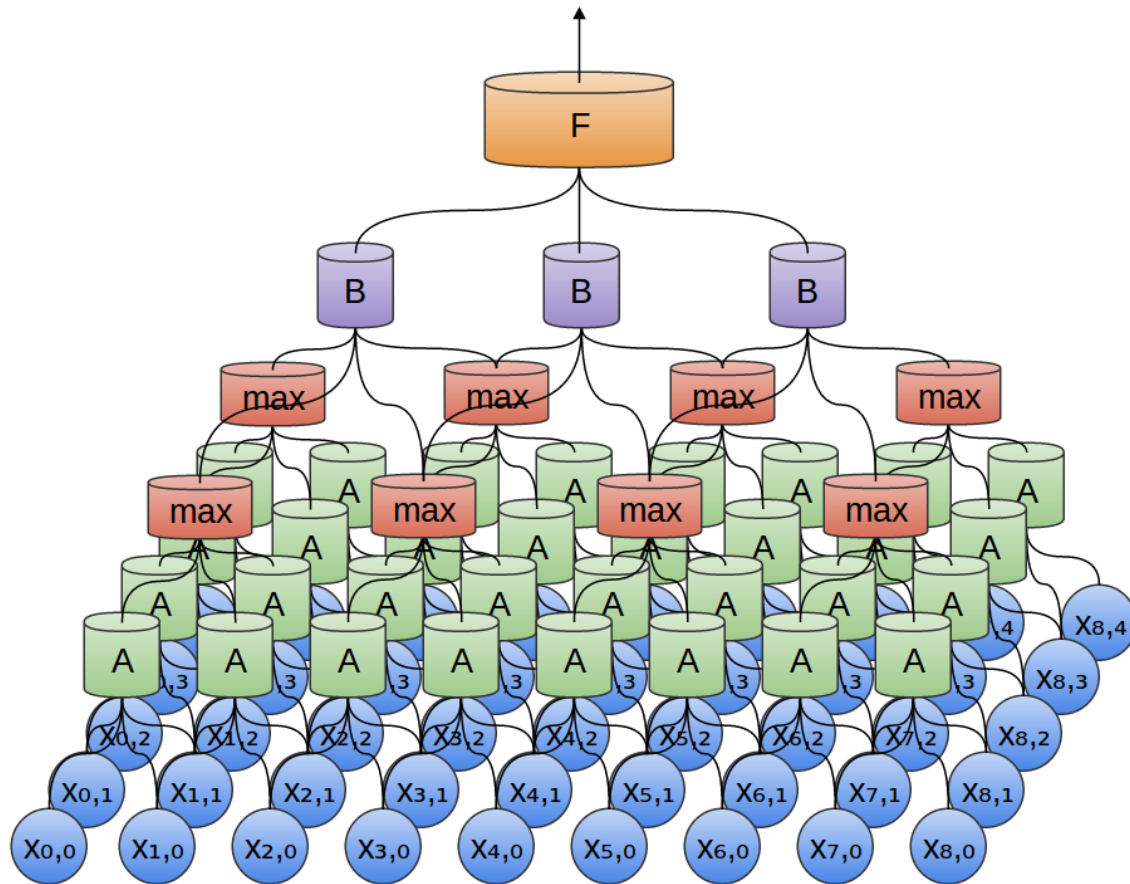
$$H_0 = (H_1 - N + 2P) / S + 1$$

$$D_0 = K$$

This requires $N \cdot N \cdot D_1$ weights per filter, for a total of $N \cdot N \cdot D_1 \cdot K$ weights and K biases

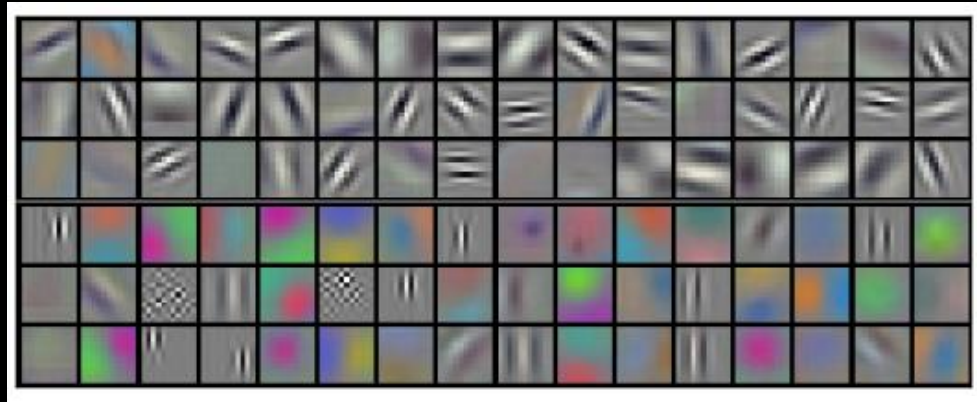
In the output volume, the d -th depth slice (of size $W_0 \times H_0$) is the result of performing a convolution of the d -th filter over the input volume with a stride of S , and then offset by d -th bias.

Pooling

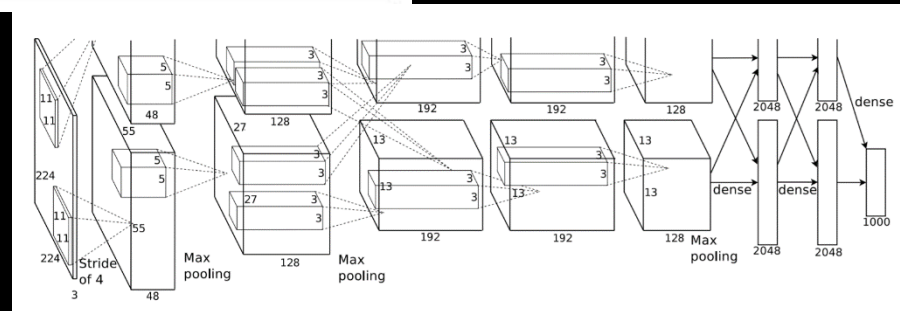


A Groundbreaking Example

These are the 96 first layer 11x11 (x3, RGB, stacked here) filters from AlexNet.



Among the several novel techniques combined in this work (such as aggressive use of ReLU), they used dual GPUs, with different flows for each, communicating only at certain layers. A result is that the bottom GPU consistently specialized on color information, and the top did not.



This is your brain on CNNs.

One of countless "illusions" I could provoke your own CNNs with.



Let's Start Small

```
import tensorflow as tf

mnist = tf.keras.datasets.mnist
(train_images, train_labels), (test_images, test_labels) = mnist.load_data()

train_images = train_images.reshape(60000, 28, 28, 1)
test_images = test_images.reshape(10000, 28, 28, 1)
train_images, test_images = train_images/255, test_images/255

model = tf.keras.Sequential([
    tf.keras.layers.Conv2D(32, (3,3), activation='relu', input_shape=(28,28,1)),
    tf.keras.layers.MaxPooling2D(2,2),
    tf.keras.layers.Flatten(),
    tf.keras.layers.Dense(100, activation='relu'),
    tf.keras.layers.Dense(10, activation='softmax')
])

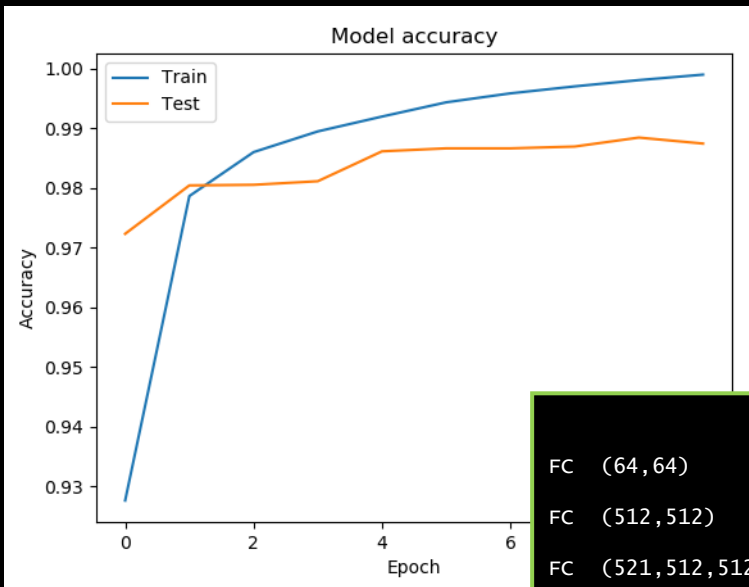
model.compile(optimizer=tf.keras.optimizers.SGD(lr=0.01, momentum=0.9), loss='sparse_categorical_crossentropy', metrics=['accuracy'])

model.fit(train_images, train_labels, batch_size=32, epochs=10, verbose=1, validation_data=(test_images, test_labels))
```

Early CNN Results

....
....

Epoch 10/10
60000/60000 [=====] - 12s 198us/sample - loss: 0.0051 - accuracy: 0.9989 - val_loss: 0.0424 - val_accuracy: 0.9874



Score Thus Far		
FC (64,64)		97.5
FC (512,512)		98.2
FC (521,512,512)		98.0
CNN (1 layer)		98.7

Primitive CNN

```
model.summary()
```

Layer (type)	Output Shape	Param #
conv2d_1 (Conv2D)	(None, 26, 26, 32)	320
max_pooling2d_1	(None, 13, 13, 32)	0
flatten_1 (Flatten)	(None, 5408)	0
dense_38 (Dense)	(None, 100)	540900
dense_39 (Dense)	(None, 10)	1010

ms: 542,230
params: 542,230
ble params: 0

Scaling Up The CNN

```
import tensorflow as tf

mnist = tf.keras.datasets.mnist
(train_images, train_labels), (test_images, test_labels) = mnist.load_data()

train_images = train_images.reshape(60000, 28, 28, 1)
test_images = test_images.reshape(10000, 28, 28, 1)
train_images, test_images = train_images/255, test_images/255

model = tf.keras.Sequential([
    tf.keras.layers.Conv2D(32, (3,3), activation='relu', input_shape=(28,28,1)),
    tf.keras.layers.Conv2D(64, (3,3), activation='relu'),
    tf.keras.layers.MaxPooling2D(2,2),
    tf.keras.layers.Flatten(),
    tf.keras.layers.Dense(128, activation='relu'),
    tf.keras.layers.Dense(10, activation='softmax')
])

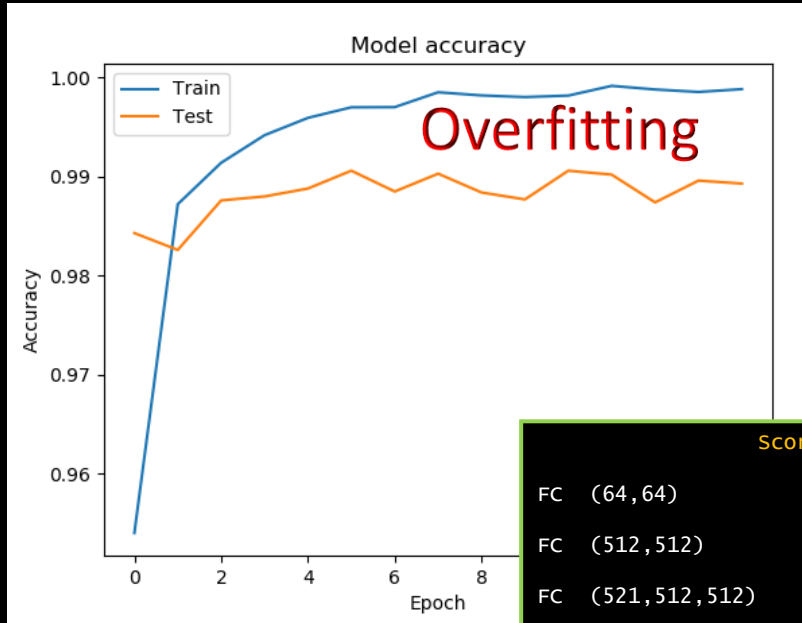
model.compile(optimizer=tf.keras.optimizers.SGD(lr=0.01, momentum=0.9), loss='sparse_categorical_crossentropy', metrics=['accuracy'])

model.fit(train_images, train_labels, batch_size=32, epochs=10, verbose=1, validation_data=(test_images, test_labels))
```

Deeper CNN Results

....
....

Epoch 15/15
60000/60000 [=====] - 34s 566us/sample - loss: 0.0052 - accuracy: 0.9985 - val_loss: 0.0342 - val_accuracy: 0.9903



Deeper CNN

```
model.summary()
```

Layer (type)	Output Shape	Param #
conv2d_4 (Conv2D)	(None, 26, 26, 32)	320
conv2d_5 (Conv2D)	(None, 24, 24, 64)	18496
max_pooling2d_3	(None, 12, 12, 64)	0
flatten_3 (Flatten)	(None, 9216)	0
dense_42 (Dense)	(None, 128)	1179776
	(None, 10)	1290

=====
s: 1,199,882
arams: 0

Score Thus Far

FC (64, 64)	97.5
FC (512, 512)	98.2
FC (521, 512, 512)	98.0
CNN (1 layer)	98.7
CNN (2 Layer)	99.0

Overfitting = Memorization

We now have enough parameters that the network is prone to memorizing instead of learning. This will only get worse as our larger and smarter networks grow into billions of parameters.



Cat



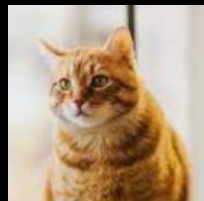
Dog



Dog



Cat



Cat



Dog



Dog



Dog



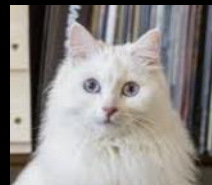
Dog



Dog

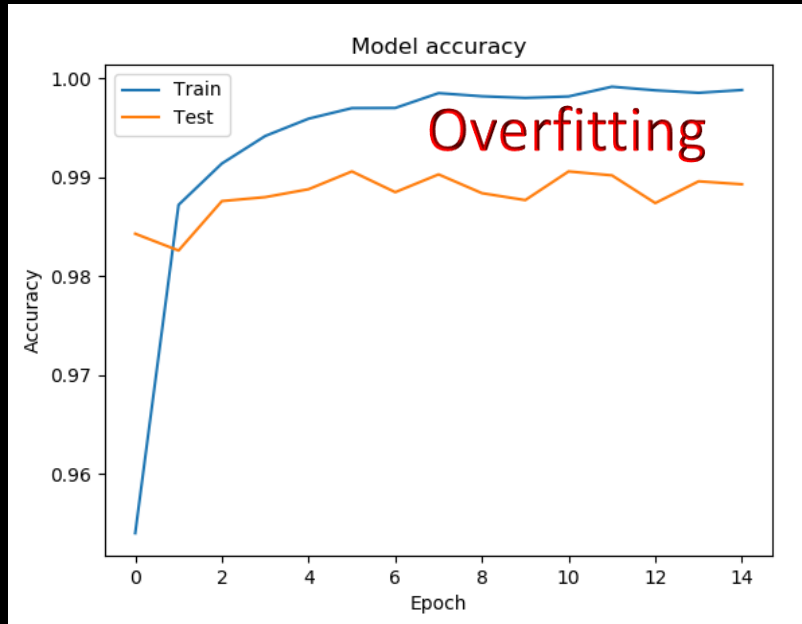


Cat

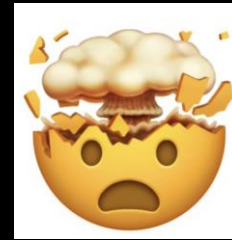


Cat

Dropout



As we know by now, we need some form of regularization to help with the overfitting. One seemingly crazy way to do this is the relatively new technique (introduced by the venerable Geoffrey Hinton in 2012) of Dropout.



Some view it as an ensemble method that trains multiple data models simultaneously. One neat perspective of this analysis-defying technique comes from Jürgen Schmidhuber, another innovator in the field; under certain circumstances, it could also be viewed as a form of training set augmentation: effectively, more and more informative complex features are removed from the training data.

CNN With Dropout

```
import tensorflow as tf

mnist = tf.keras.datasets.mnist
(train_images, train_labels), (test_images, test_labels) = mnist.load_data()

train_images = train_images.reshape(60000, 28, 28, 1)
test_images = test_images.reshape(10000, 28, 28, 1)
train_images, test_images = train_images/255, test_images/255

model = tf.keras.Sequential([
    tf.keras.layers.Conv2D(32, (3,3), activation='relu', input_shape=(28,28,1)),
    tf.keras.layers.Conv2D(64, (3,3), activation='relu'),
    tf.keras.layers.MaxPooling2D(2,2),
    tf.keras.layers.Dropout(0.25),
    tf.keras.layers.Flatten(),
    tf.keras.layers.Dense(128, activation='relu'),
    tf.keras.layers.Dropout(0.5),
    tf.keras.layers.Dense(10, activation='softmax')
])

model.compile(optimizer=tf.keras.optimizers.SGD(lr=0.01, momentum=0.9), loss='sparse_categorical_crossentropy', metrics=['accuracy'])

model.fit(train_images, train_labels, batch_size=32, epochs=10, verbose=1, validation_data=(test_images, test_labels))
```

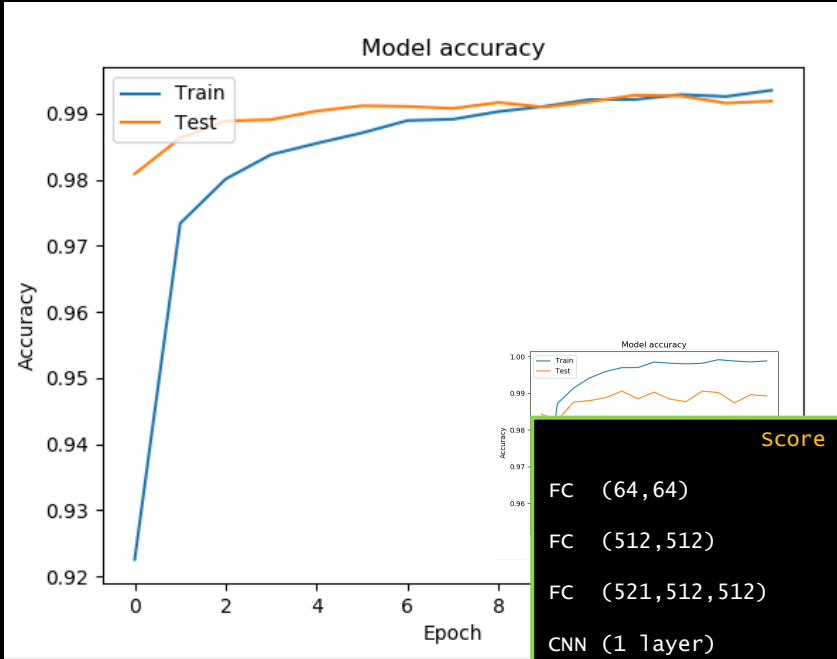
Parameter is fraction to *drop*.

Drop out is not used in the final, trained, network. Similarly, it is automatically disabled here during testing.

Help From Dropout

....
....

Epoch 15/15
60000/60000 [=====] - 40s 667us/sample - loss: 0.0187 - accuracy: 0.9935 - val_loss: 0.0301 - val_accuracy: 0.9919



Score Thus Far		
FC (64, 64)		97.5
FC (512, 512)		98.2
FC (521, 512, 512)		98.0
CNN (1 layer)		98.7
CNN (2 Layer)		99.0
CNN with Dropout		99.2

Dropout CNN

```
model.summary()
```

Layer (type)	Output Shape	Param #
conv2d_12 (Conv2D)	(None, 26, 26, 32)	320
conv2d_13 (Conv2D)	(None, 24, 24, 64)	18496
max_pooling2d_7	(None, 12, 12, 64)	0
dropout_4 (Dropout)	(None, 12, 12, 64)	0
flatten_7 (Flatten)	(None, 9216)	0
(Dense)	(None, 128)	1179776
(Dropout)	(None, 128)	0
(Dense)	(None, 10)	1290

params: 1,199,882
params: 1,199,882
able params: 0

Batch Normalization

Another "between layers" layer that is quite popular is Batch Normalization. This technique really helps with vanishing or exploding gradients. So it is better with deeper networks.

- Maybe not so compatible with Dropout, but the subject of research (and debate).
- Maybe Apply Dropout after all BN layers: <https://arxiv.org/pdf/1801.05134.pdf>
- Before or after non-linear activation function? Oddly, also open to debate. But, it may be more appropriate after the activation function if for s-shaped functions like the hyperbolic tangent and logistic function, and before the activation function for activations that result in non-Gaussian distributions like ReLU.

How could we apply it before of after our activation function if we wanted to? We haven't been peeling our layers apart, but we can micro-manage more if we want to:

```
model.add(tf.keras.layers.Conv2D(64, (3, 3), use_bias=False))
model.add(tf.keras.layers.BatchNormalization())
model.add(tf.keras.layers.Activation("relu"))
```

```
model.add(tf.keras.layers.Conv2D(64, kernel_size=3, strides=2, padding="same"))
model.add(tf.keras.layers.LeakyReLU(alpha=0.2))
model.add(tf.keras.layers.BatchNormalization(momentum=0.8))
```

There are also normalizations that work on single samples instead of batches, so better for recurrent networks. In TensorFlow we have Group Normalization, Instance Normalization and Layer Normalization.

Trying Batch Normalization

```
import tensorflow as tf

mnist = tf.keras.datasets.mnist
(train_images, train_labels), (test_images, test_labels) = mnist.load_data()

train_images = train_images.reshape(60000, 28, 28, 1)
test_images = test_images.reshape(10000, 28, 28, 1)
train_images, test_images = train_images/255, test_images/255

model = tf.keras.Sequential([
    tf.keras.layers.Conv2D(32, (3,3), activation='relu', input_shape=(28,28,1)),
    tf.keras.layers.BatchNormalization(),
    tf.keras.layers.Conv2D(64, (3,3), activation='relu'),
    tf.keras.layers.MaxPooling2D(2,2),
    tf.keras.layers.BatchNormalization(),
    tf.keras.layers.Flatten(),
    tf.keras.layers.Dense(128, activation='relu'),
    tf.keras.layers.BatchNormalization(),
    tf.keras.layers.Dense(10, activation='softmax')
])

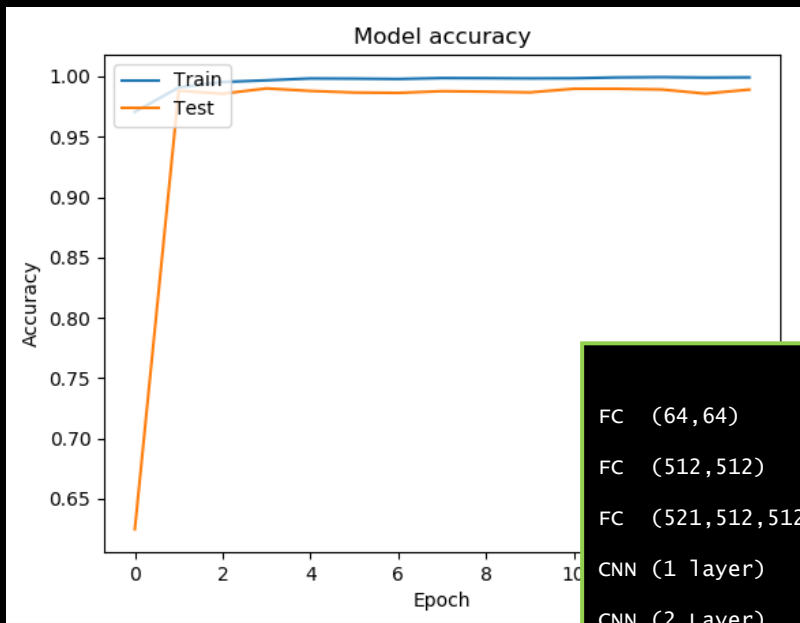
model.compile(optimizer=tf.keras.optimizers.SGD(lr=0.01, momentum=0.9), loss='sparse_categorical_crossentropy', metrics=['accuracy'])

model.fit(train_images, train_labels, batch_size=32, epochs=10, verbose=1, validation_data=(test_images, test_labels))
```

Not So Helpful

....
....

Epoch 15/15
60000/60000 [=====] - 50s 834us/sample - loss: 0.0027 - accuracy: 0.9993 - val_loss: 0.0385 - val_accuracy: 0.9891



Score Thus Far		
FC (64,64)		97.5
FC (512,512)		98.2
FC (521,512,512)		98.0
CNN (1 layer)		98.7
CNN (2 Layer)		99.0
CNN with Dropout		99.2
Batch Normalization		98.9

Batch Normalization CNN

```
model.summary()
```

Layer (type)	Output Shape	Param #
conv2d_2 (Conv2D)	(None, 26, 26, 32)	320
batch_normalization	(None, 26, 26, 32)	128
conv2d_3 (Conv2D)	(None, 24, 24, 64)	18496
max_pooling2d_1	(None, 12, 12, 64)	0
batch_normalization_1	(None, 12, 12, 64)	256
flatten	(None, 9216)	0
conv2d_4 (Conv2D)	(None, 128)	1179776
batch_normalization_2	(Batch Normalization, 128)	512
conv2d_5 (Conv2D)	(None, 10)	1290

=====
1,200,778
params: 1,200,330
params: 448

Real Time Demo

This *amazing, stunning, beautiful* demo from Adam Harley is very similar to what we just did, but different enough to be interesting.

https://aharley.github.io/nn_vis/cnn/2d.html

It is worth experiment with. Note that this is an excellent demonstration of how efficient the forward network is. You are getting very real-time analysis from a lightweight web program. Training it took some time.

Draw your number here



Downsampled drawing: 2

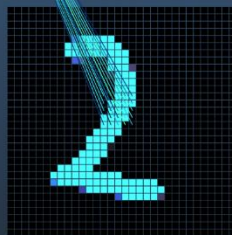
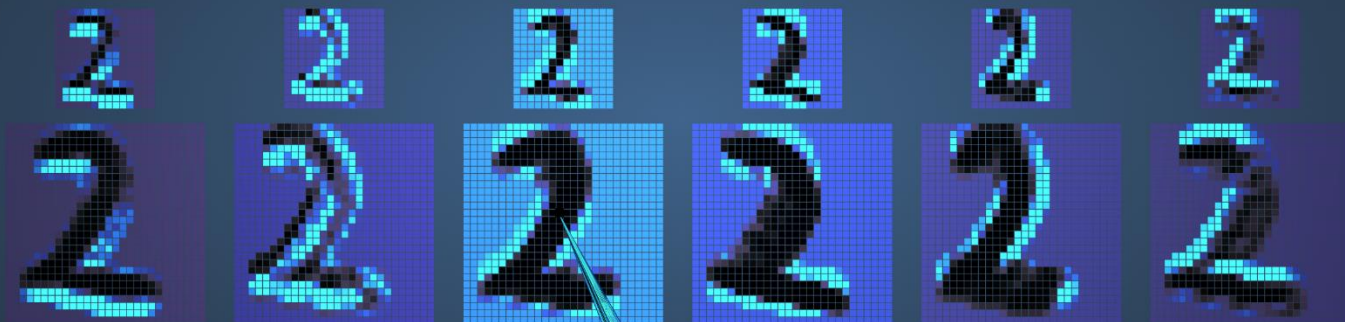
First guess: 2

Second guess: 0

Layer visibility

Input layer	Show
Convolution layer 1	Show
Downsampling layer 1	Show
Convolution layer 2	Show
Downsampling layer 2	Show
Fully-connected layer 1	Show
Fully-connected layer 2	Show
Output layer	Show

0123456789



Adding TensorBoard To Your Code

TensorBoard is a very versatile tool that allows us multiple types of insight into our TensorFlow codes. We need only add a callback into the model to activate the necessary logging.

```
...
...
model.compile(optimizer='adam', loss='sparse_categorical_crossentropy', metrics=['accuracy'])
tensorboard_callback = tf.keras.callbacks.TensorBoard(log_dir='TB_logDir', histogram_freq=1)
history = model.fit(train_images, train_labels, batch_size=128, epochs=15, verbose=1,
                    validation_data=(test_images, test_labels), callbacks=[tensorboard_callback])
...
...
```

TensorBoard runs as a server, because it has useful run-time capabilities, and requires you to start it separately, and to access it via a browser.

Somewhere else:

```
tensorboard --logdir=TB_logD
```

Somewhere else:

```
Start your Browser and point it at port 6006: http://localhost:6006/
```

If you are running on Bridges login nodes, from your computer something like:

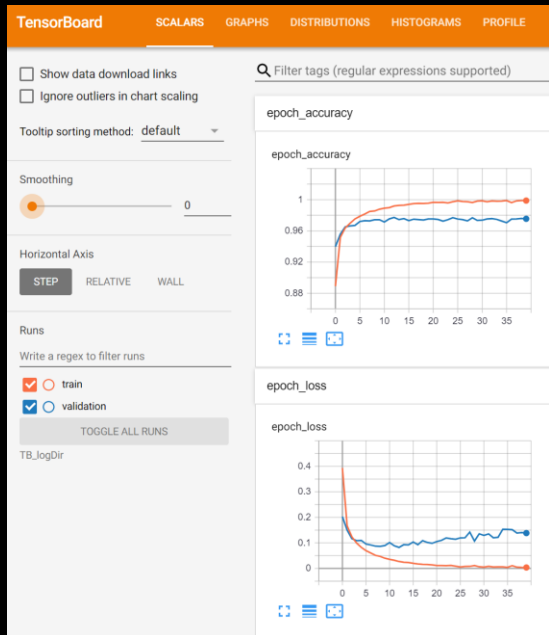
```
ssh -2 -Nf -L 6006:127.0.0.1:6006 br014.bridges2.psc.edu
```

If you are running on a Bridges compute nodes, you need to use the compute's IB address/hostname, for example:

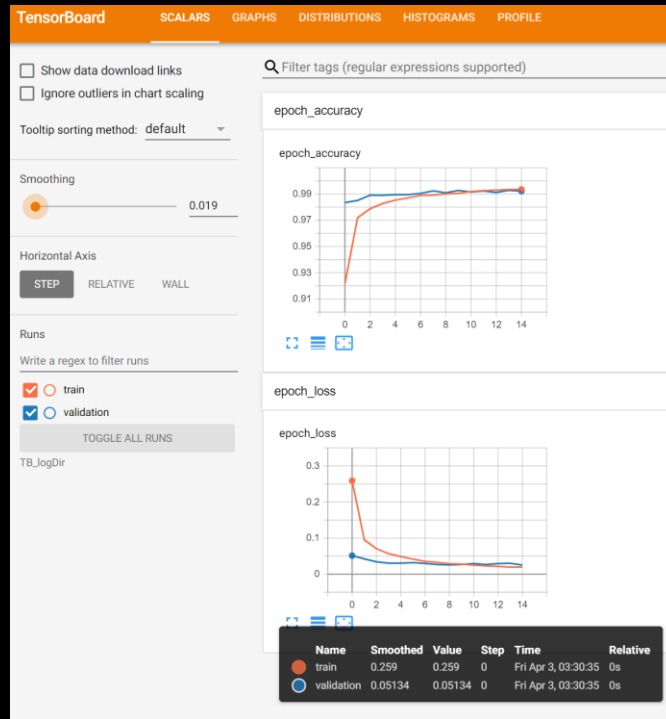
```
ssh -2 -Nf -L 6006:r001.ib.bridges2.psc.edu:6006 br014.bridges2.psc.edu
```

TensorBoard Analysis

The most obvious thing we can do is to look at our training loss. Note that TB is happy to do this in *real-time* as the model runs. This can be very useful for you to monitor overfitting.



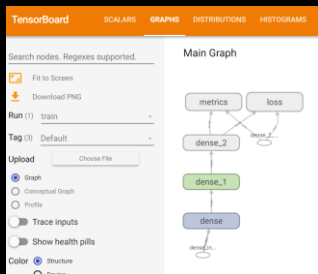
Our First Model
64 Wide FC



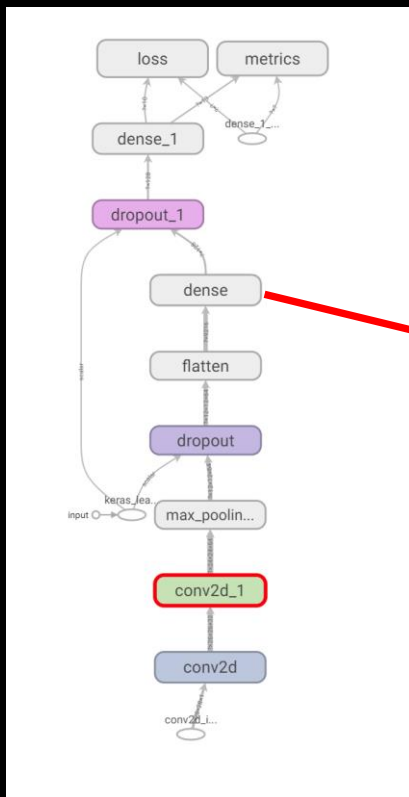
Our CNN

TensorBoard Graph Views

We can explore the architecture of the deep learning graphs we have constructed.

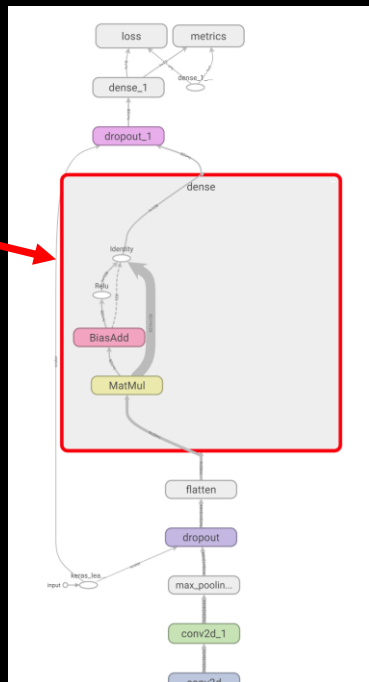


Our First Model
64 Wide FC

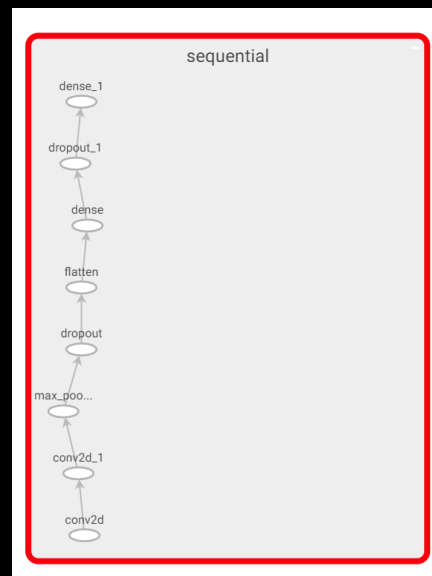


Our CNN

And we can drill down.



Our CNN's
FC Layer



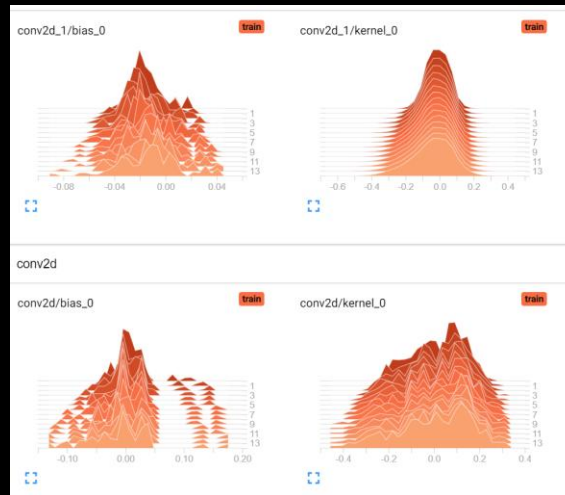
Keras
"Conceptual
Model"
View
of CNN

TensorBoard Parameter Visualization

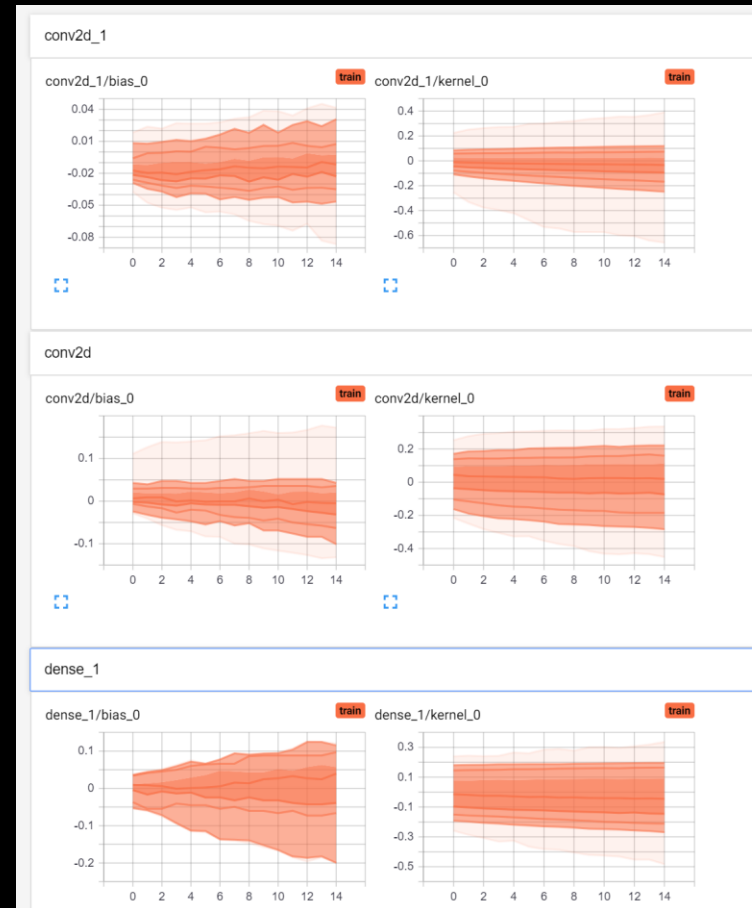
Distribution View

And we can observe the time evolution of our weights and biases, or at least their distributions.

This can be very telling, but requires some deeper application and architecture dependent understanding.



Histogram View



TensorBoard Add Ons

TensorBoard has lots of extended capabilities. Two particularly useful and powerful ones are Hyperparameter Search and Performance Profiling.

Performance Profiling

The screenshot shows the TensorBoard interface with the 'Hyperparameters' and 'Metrics' sections expanded. The 'Hyperparameters' section lists parameters like num_units, dropout, and optimizer. The 'Metrics' section shows Accuracy. The 'Status' section shows 'Unknown' and 'Success' counts. The 'Sorting' and 'Paging' sections are also visible.

Session Group Name	Show Metrics	num_units	dropout	optimizer	Accuracy
3df0d7cf35bec5a...	<input type="checkbox"/>	32.0000	0.20000	sgd	0.77550
3ec2aed9e07589f...	<input type="checkbox"/>	32.0000	0.20000	adam	0.82650
53bf5bec9190fa...	<input type="checkbox"/>	16.0000	0.20000	adam	0.81540
5b97f3c2967245b...	<input type="checkbox"/>	16.0000	0.10000	adam	0.83210
6826c7fa3322d82...	<input type="checkbox"/>	32.0000	0.10000	adam	0.83950
7684dcc13358fd0...	<input type="checkbox"/>	16.0000	0.20000	sgd	0.76830
7b29a731e3daca...	<input type="checkbox"/>	32.0000	0.10000	sgd	0.78530
ae235909ec4e4d...	<input type="checkbox"/>	16.0000	0.10000	sgd	0.77700

Hyperparameter Search

Requires some scripting on your part. Look at https://www.tensorflow.org/tensorboard/hyperparameter_tuning_with_hparams for a good introduction.

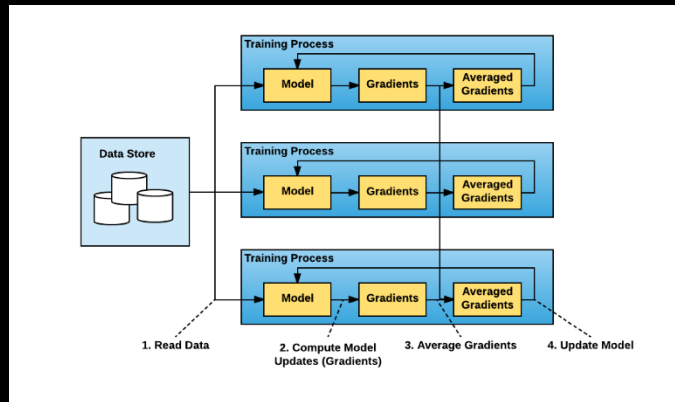


Going beyond basics, like **IO time**, requires integration of hardware specific tools. This is well covered if you are using NVIDIA, otherwise you may have a little experimentation to do. The end result is a user friendly interface and valuable guidance.

Scaling Up

You may have the idea that deep learning has a voracious appetite for GPU cycles. That is absolutely the case, and the leading edge of research is currently limited by available resources. Researchers routinely use many GPUs to train a model. Conversely, the largest resources demand that you use them in a parallel fashion. There are capabilities built into TensorFlow, the **MirroredStrategy**.

```
strategy = tf.distribute.MirroredStrategy()
with strategy.scope():
    model = tf.keras.Sequential([
        tf.keras.layers.Dropout(rate=0.2, input_shape=x.shape[1:]),
        tf.keras.layers.Dense(units=64, activation='relu'),
        ...
    ])
    model.compile(...)
    model.fit(...)
```



Horovod: fast and easy distributed deep learning in TensorFlow
Alexander Sergeev, Mike Del Balso

You can find a full example of using Horovod with a Keras MNIST code at:
<https://horovod.readthedocs.io/en/latest/keras.html>

An alternative that has proven itself at extreme scale is *Horovod*.

MNIST with Horovod!

```
# Horovod: initialize Horovod.
hvd.init()

# Horovod: pin GPU to be used to process local rank (one GPU per process)
config = tf.ConfigProto()
config.gpu_options.allow_growth = True
config.gpu_options.visible_device_list = str(hvd.local_rank())
K.set_session(tf.Session(Config=config))
...

# Horovod: adjust number of epochs based on number of GPUS.
epochs = int(math.ceil(12.0 / hvd.size()))
...

# Horovod: adjust learning rate based on number of GPUS.
opt = keras.optimizers.Adadelta(1.0 * hvd.size())
...

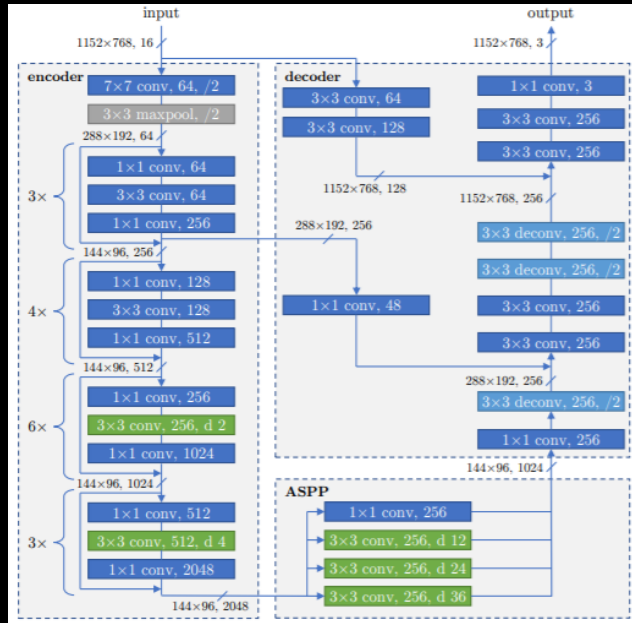
# Horovod: add Horovod Distributed Optimizer.
opt = hvd.DistributedOptimizer(opt)
...

model.compile(loss=keras.losses.categorical_crossentropy, optimizer=opt, metrics=['accuracy'])

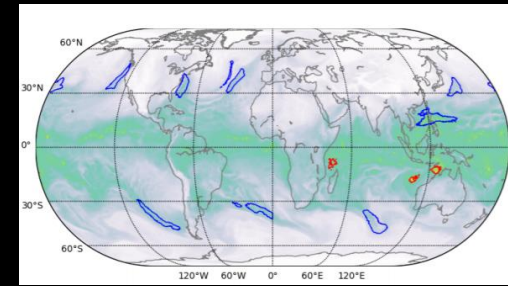
callbacks = [hvd.callbacks.BroadcastGlobalVariablesCallback(0),]
if hvd.rank() == 0: callbacks.append(keras.callbacks.ModelCheckpoint('./checkpoint-{epoch}.h5'))
```

Scaling Up Massively

Horovod demonstrates its excellent scalability with a Climate Analytics code that won the Gordon Bell prize in 2018. It predicts Tropical Cyclones and Atmospheric River events based upon climate models. It shows not only the reach of deep learning in the sciences, but the scale at which networks can be trained.



- *1.13 ExaFlops (mixed precision) peak training performance*
- *On 4560 6 GPU nodes (27,360 GPUs total)*
- *High-accuracy (harder when predicting "no hurricane today" is 98% accurate), solved with weighted loss function.*
- *Layers each have different learning rate*



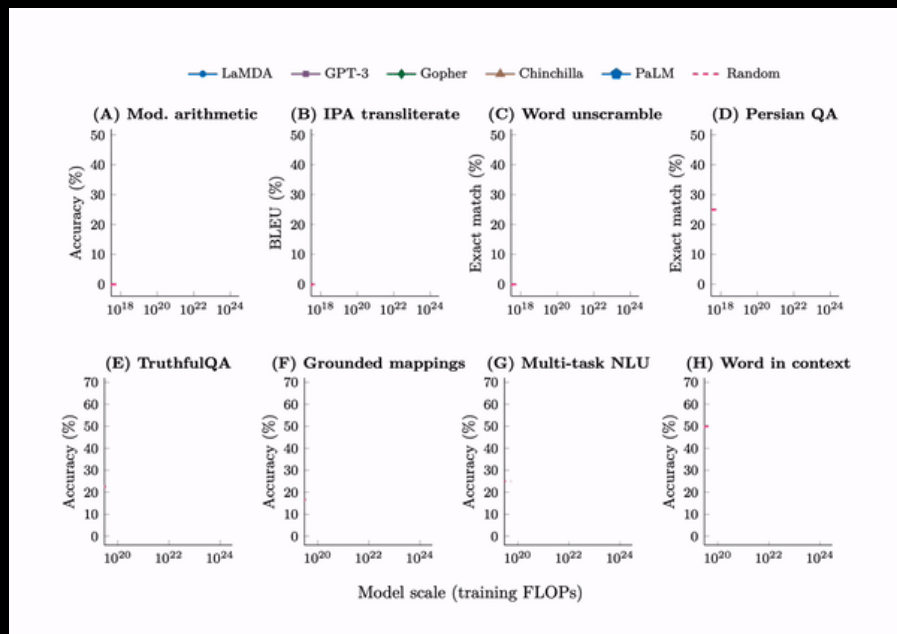
Emergent Capability

An *emergent ability* as an ability that is not present in small models but develops as the model is scaled. These might be unanticipated.

Some areas of science are familiar with this idea (physics and biology, for sure). In computer science this concept has largely been a novelty (Conway's Game of Life is a notable example). In Deep Learning, it has become a very significant phenomena.

However, bear in mind that many of the principles we have mentioned (overfitting, vanishing gradients, etc.) mean that brute force scaling is not going to be a default route to better performance.

Instead, understanding of those principles will allow you the option to scale.



<https://www.jasonwei.net/blog/emergence>

Also a good associated paper.

Data Augmentation

As I've mentioned, labeled data is valuable. This type of *supervised learning* often requires human-labeled data. Getting more out of our expensive data is very desirable. More datapoints generally equals better accuracy. The process of generating more training data from our existing pool is called *Data Augmentation*, and is an extremely common technique, especially for classification

Our MNIST network has learned to recognize ve

What if we wanted to teach it:

How many samples do we need?

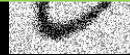
This is another hyperparameter (yes), where we can only offer a vague rule of thumb. And that suggestion is about 5000 per category for competence, 10 million for a real task with human performance.



Scale Invariance



Rotation Invariance



Noise Tolerance



Translation Invariance



FREE?

You can see how straightforward and mechanical this is. And yet very effective. You will often see detailed explanations of the data augmentation techniques employed in any given project.

Note that [tf.image](#) makes many of these processes very convenient.

Stupid Neural Nets

Why can't they learn like we do? Can't I just tell you a fact, or an algorithm, and you can just "get it" it without countless iteration?



English for infants



Idiots Guide to Winning the US Open

One-Shot Learning

On the other hand, maybe I could teach adult you what a platypus is with one example. And, if you want to spot a particular mad bomber with your airport facial recognition system, you may only have one photo.

There is such a thing as "one-shot" (or N-shot) learning. But it is harder, requires more specialized techniques, and is straying into the area of unsupervised learning. We will come back to this, but it is no magic bullet for sparse data.

```

from __future__ import print_function
import argparse
import torch
import torch.nn as nn
import torch.nn.functional as F
import torch.optim as optim
from torchvision import datasets, transforms
from torch.optim.lr_scheduler import StepLR

```

```

class Net(nn.Module):
    def __init__(self):
        super(Net, self).__init__()
        self.conv1 = nn.Conv2d(1, 32, 3, 1)
        self.conv2 = nn.Conv2d(32, 64, 3, 1)
        self.dropout1 = nn.Dropout2d(0.25)
        self.dropout2 = nn.Dropout2d(0.5)
        self.fc1 = nn.Linear(9216, 128)
        self.fc2 = nn.Linear(128, 10)

    def forward(self, x):
        x = self.conv1(x)
        x = F.relu(x)
        x = self.conv2(x)
        x = F.relu(x)
        x = F.max_pool2d(x, 2)
        x = self.dropout1(x)
        x = torch.flatten(x, 1)
        x = self.fc1(x)
        x = F.relu(x)
        x = self.dropout2(x)
        x = self.fc2(x)
        output = F.log_softmax(x, dim=1)
        return output

```

```

def train(args, model, device, train_loader, optimizer, epoch):
    model.train()
    for batch_idx, (data, target) in enumerate(train_loader):
        data, target = data.to(device), target.to(device)
        optimizer.zero_grad()
        output = model(data)
        loss = F.nll_loss(output, target)
        loss.backward()
        optimizer.step()
        if batch_idx % args.log_interval == 0:
            print('Train Epoch: {} [{} / {}] {:.0f}%] \tLoss: {:.6f}'.format(
                epoch, batch_idx * len(data), len(train_loader.dataset),
                100. * batch_idx / len(train_loader), loss.item()))

```

```

def test(args, model, device, test_loader):
    model.eval()
    test_loss = 0
    correct = 0
    with torch.no_grad():
        for data, target in test_loader:
            data, target = data.to(device), target.to(device)
            output = model(data)
            test_loss += F.nll_loss(output, target, reduction='sum').item() # sum up batch loss
            pred = output.argmax(dim=1, keepdim=True) # get the index of the max log-probability
            correct += pred.eq(target.view_as(pred)).sum().item()

    test_loss /= len(test_loader.dataset)

```

PyTorch CNN MNIST

Not a fair comparison of terseness as this version has a lot of extra flexibility.

From:

<https://github.com/pytorch/examples/blob/master/mnist/main.py>

```

model = Net().to(device)
optimizer = optim.Adadelta(model.parameters(), lr=args.lr)

scheduler = StepLR(optimizer, step_size=1, gamma=args.gamma)
for epoch in range(1, args.epochs + 1):
    train(args, model, device, train_loader, optimizer, epoch)
    test(args, model, device, test_loader)
    scheduler.step()

if args.save_model:
    torch.save(model.state_dict(), "mnist_cnn.pt")

```

```

if __name__ == '__main__':
    main()

```

Exercises

We are going to leave you with a few substantial problems that you are now equipped to tackle. Feel free to use your extended workshop access to work on these, and remember that additional time is an easy Startup Allocation away. Of course everything we have done is standard and you can work on these problems in any reasonable environment.

You may have wondered what else was to be found at tf.keras.datasets. The answer is many interesting problems. The obvious follow-on is:

Fashion MNIST

These are 60,000 training images, and 10,000 test images of 10 types of clothing, in 28x28 greyscale. Sound familiar? A more challenging drop-in for MNIST.



More tf.keras.datasets Fun

Boston Housing

Predict housing prices base upon crime, zoning, pollution, etc.

CRIM	per capita crime rate by town
ZN	proportion of residential land
INDUS	proportion of non-retail busine
CHAS	Charles River dummy variable (-
NOX	nitric oxides concentration (pe
RM	average number of rooms per dwe
AGE	proportion of owner-occupied ur
DIS	weighted distances to five Bost
RAD	index of accessibility to radiat
TAX	full-value property-tax rate pe
PTRATIO	pupil-teacher ratio by town
B	$1000(Bk - 0.63)^2$ where Bk is t
LSTAT	% lower status of the populatio
MEDV	Median value of owner-occupied

CIFAR10

32x32 color images in 10 classes.



CIFAR100

Like CIFAR10 but with 100 non-overlapping classes.



IMDB

1 sentence positive or negative reviews.

I have been known to fall asleep during films, but this...
Mann photographs the Alberta Rocky Mountains in a superb fashion...
This is the kind of film for a snowy Sunday afternoon...

Reuters

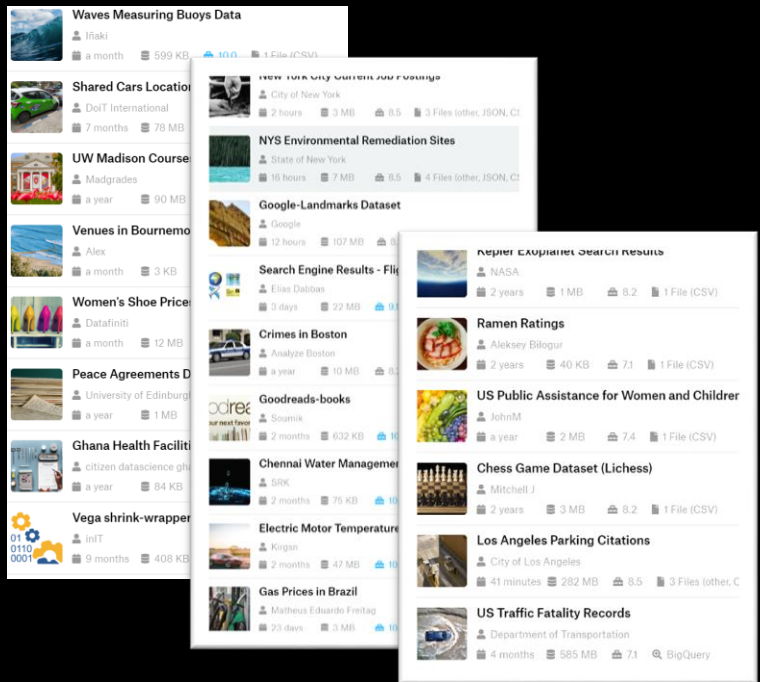
46 topics in newswire form.

Its december acquisition of space co it expects earnings per share in 1987 of 1 15 to 1 30 dlrs per share up from 70 cts in 1986 the company said pretax net should rise to nine to 10 mln dlrs from six mln dlrs in 1986 and rental operation revenues to 19 to 22 mln dlrs from 12 5 mln dlrs it said cash flow per share this year should be 2 50 to three dlrs reuters...






Endless Exercises

Kaggle Challenge


The benchmark driven nature of deep learning research, and its competitive consequences, have found a nexus at Kaggle.com. There you can find over 20,000 datasets:



and competitions:

	Severstal: Steel Defect Detection Can you detect and classify defects in steel? Featured · Kernels Competition · 3 months to go · manufacturing, image data	\$120,000 299 teams
	Two Sigma: Using News to Predict Stock Movements Use news analytics to predict stock price performance Featured · Kernels Competition · a day to go · news agencies, time series, finance, money	\$100,000 2,927 teams
	APTOS 2019 Blindness Detection Detect diabetic retinopathy to stop blindness before it's too late Featured · Kernels Competition · a month to go · healthcare, medicine, image data, multiclass class...	\$50,000 2,106 teams
	SIIM-ACR Pneumothorax Segmentation Identify Pneumothorax disease in chest x-rays Featured · a month to go · image data, object segmentation	\$30,000 1,281 teams
	Predicting Molecular Properties	\$30,000

Including this one:

	Digit Recognizer Learn computer vision fundamentals with the famous MNIST data Getting Started · Ongoing · tabular data, image data, multiclass classification, object identification	Knowledge 3,008 teams
---	---	--------------------------